

ELECTRONIC CALCULATOR

CASIO PRO *fx-1*

INSTRUCTION MANUAL



INTRODUCTION

Dear Customer,

Congratulations on your purchase of the most advanced electronic calculator. This is a scientific calculator equipped with a 127-step program function with a special "Magnetic Card" that makes repeat and complex calculations easy and trouble-free. This program function is in addition to such big features as one-touch function keys that allow you to easily perform mixed calculations in the four arithmetic operations, an independent memory, 10 constant memories and 100-digit (10^{+99}) calculation capacity.

This scientific calculator realizes a true "Card Program System" by storing programs in the "Magnetic Card", from which they can be transferred to the calculator.

No special training is required to utilize the full features of this calculator but we suggest that you study this instruction manual carefully to become familiar with the many abilities of this calculator. This manual was written to assist you in understanding the various control keys and functions of the calculator through simple examples and their applications.

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DISPOSABLE DRY BATTERY OR AC OPERATION

This calculator operates on either dry batteries or AC with the use of the AC ADAPTOR.

DRY BATTERY OPERATION

With four AA size Alkaline dry batteries (AM-3) it operates approximately 12 hours continuously.

When battery power decreases, the display will disappear suddenly. Batteries should at this time be renewed.

To change batteries, put the power switch off first. Slide open the battery cover and replace batteries.

AC OPERATION

If you are in a 117V area, for instance, use a 117V AC ADAPTOR. When you use an AC ADAPTOR of a different voltage, it may cause damage to both the AC ADAPTOR and calculator. Plug the applicable AC ADAPTOR (100, 117, 220 or 240V) into the AC outlet and the cord into the calculator. When plugged in, battery power supply stops automatically, so battery power is not wasted.

* USE OF THIS CALCULATOR WITH A MAINS ADAPTOR OTHER THAN THE CASIO MAINS ADAPTOR, INVALIDATES THE GUARANTEE.

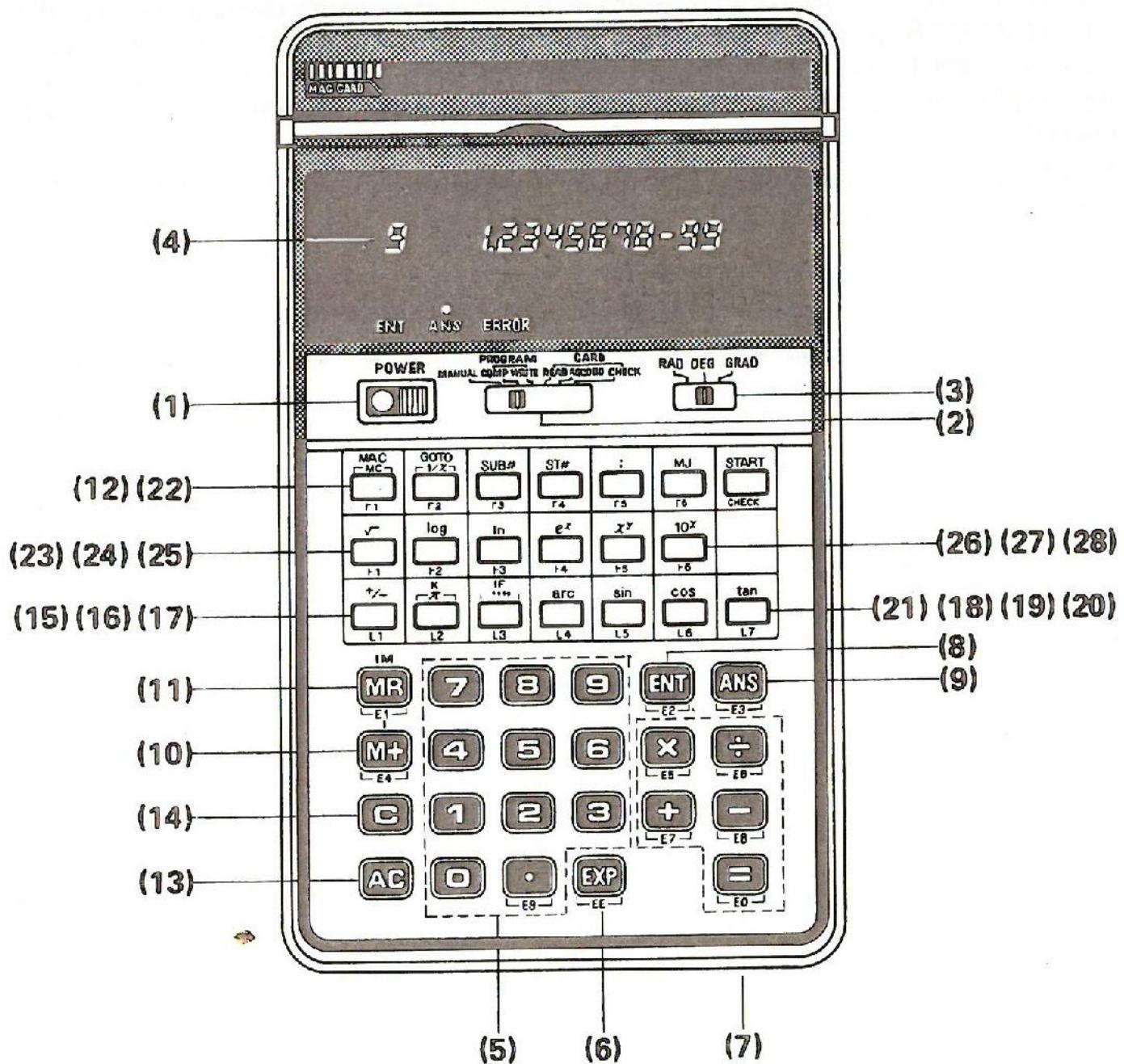
AD-4160 6V 1.5W.

PART-1

Manual calculations

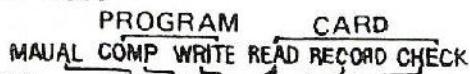
In Part 1 we will explain the functions of the calculator, excluding the program function, and the method of operation. That is, in this part, we will explain only what is necessary for manual calculating.

1-1. KEYBOARD



(1) POWER SWITCH:

Move the switch to the right and "0." appears to show the calculator is ready for use.



(2) PROGRAM SWITCH:

When performing manual calculations, set the program switch to the "MANUAL" position.



(3) ANGULAR MODE SELECTOR:

By setting the selector either at "RAD" (Radian), "DEG" (Degree) or "GRAD" (Grade) position, trigonometric (or inverse trigonometric) functions can be performed based on the angular measurement indicated by the selector.

(4) READ-OUT:

Shows each entry and result, whether in the regular 10 digit display or in scientific notation, through a green digitron tube, suppressing unnecessary 0's (zeroes).

In some calculations, the “-” sign appears momentarily while complicated formulas are being processed. So do not enter numerals or press the function keys until the previous answers are displayed.

The data memory numbers are displayed in the upper digit along with the lighting of the ENT lamp (When values are stored in the memory) and the ANS lamp (When values are read out). The ENT lamp is indicated by **ENT** and the ANS lamp by **ANS** in this manual.

(5) ~ NUMERAL & DECIMAL POINT KEYS:

Enters numerals. For decimal places, use the key in its logical sequence.

(6) ENTER EXPONENT KEY:

Enter the exponent of ten up to $10^{\pm 99}$. To enter 2.56×10^{45} , operate .

(7) , , , , FUNCTION COMMAND AND RESULT KEYS:

Press the numeral and function command keys in the same logical sequence and the key obtains the answer.

(8) DATA INPUT KEY:

Press to store displayed number in a data memory. To store 12.3 in data memory number 3, for example, press .

(9) DATA OUTPUT KEY:

Press to display the number stored in a data memory. To display the contents of data memory number 9, for example, press .

* There are 10 data memories : 1~9 and 0.

The contents do not change until a new entry is made.

(10) MEMORY PLUS KEY:

Transfers the number displayed into the memory positively. Obtains answers

in four functions and N-th power calculation, and automatically accumulates them into the memory positively.

(11) MR MEMORY RECALL KEY:

Recalls contents of the memory without clearing the same.

(12) MC MEMORY CLEAR KEY:

Clears contents of the memory.

(13) AC ALL CLEAR KEY:

Clears the entire machine except the independent memory and data memories, and releases an overflow check.

(14) C CLEAR KEY:

Clears keyboard entry for correction (including entries in scientific notation), and also clears answers of functions while performing mixed calculations.

Function command keys ($+$, $-$, \times , \div , x^y) can be interchanged and the last function key depressed is effective.

(15) Z SIGN CHANGE KEY:

Changes the sign of the number displayed from plus to minus and vice versa.

(16) π Pi KEY:

Enters the circular constant in 10 digits (3.141592653).

(17) S SEXAGESIMAL \rightarrow DECIMAL CONVERSION KEY:

Converts the sexagesimal figure to the decimal scale.

(18) sin SINE KEY:

Obtains the sign for the angle on display.

(19) cos COSINE KEY:

Obtains the cosine for the angle on display.

(20) tan TANGENT KEY:

Obtains the tangent for the angle on display.

(21) arc ARC KEY:

Performs inverse trigonometric functions in combination with the sin , cos or tan key.

(22) rc RECIPROCAL KEY:

Obtains the reciprocal of the number displayed.

(23) $\sqrt{}$ SQUARE ROOT KEY:

Obtains the square root of the number displayed.

(24) log COMMON LOGARITHM KEY:

Obtains the common logarithm of the number displayed.

(25) ln NATURAL LOGARITHM KEY:

Obtains the natural logarithm of the number displayed.

(26) e^x EXPONENTIAL KEY:

Raises the constant e (2.7182818.....) to x powers.

(27) x^y POWER RAISING KEY:

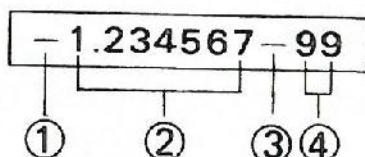
Raises the base x to y powers.

(28) 10^x X POWER OF 10 KEY (INVERSE LOG KEY):

Raises the constant 10 to x powers.

1-2. NOTICE

(1) SCIENTIFIC NOTATION



- ① The minus (-) sign for mantissa.
- ② The mantissa.
- ③ The minus (-) sign for exponent.
- ④ The exponent of ten.

When the answer is more than 1×10^{10} or less than 1×10^{-2} , it is automatically shown by the scientific notation, 8 digit mantissa (7 negative digits) and exponent of ten up to ± 99 .

Entry can also be made in the form of scientific notation by using the (Enter Exponent) key. Note that the **EXP** key does not work when the first entry (mantissa) is made exceeding 8 digits (7 digits, when the figure is negative).

EXAMPLE

OPERATION

READ-OUT

$$(1.23 \times 10^{10}) + (4.56 \times 10^7) \\ = 1.23456 \times 10^{10}$$

1 **EXP**
23
10
+
4 **EXP**
56
7
=

1.23	00
1.23	10
1.23	10
4.56	00
4.56	07
1.23456	10

The answer is read: $1.23456 \times 10^{10} = 12345600000$

Remark: *Regular entries are possible up to 10 digits.

No entry can be made above that even though the keys are pressed.

*Exponent entries are possible only when the mantissa part is from 1 to 8 digits (7 digits for negatives).

*When entries with 3 or more digits are made after depressing the **EXP** key, the final 2 digits becomes exponent.

(2) OVERFLOW CHECK

Overflow is indicated by an "E" sign and stops further calculations.

To release the locked registers caused by the overflow check, depress the **AC** key.

Overflow occurs:

- 1) When an answer or accumulated total in the memory becomes more than 1×10^{100} .

2) When the function calculations are performed on a number exceeding their input range.

Remarks: The content of the memory is protected against overflow and the total accumulated so far is recalled by the **MR** key after the overflow check is released by the **AC** key.

1-3. BASIC OPERATIONAL EXAMPLES

- * There is no need to depress the **AC** or **C** key prior to starting each new calculation.
- * A negative figure is displayed with a minus (-) sign on the left of the figure.

EXAMPLE	OPERATION	READ-OUT
$(12+3-45.6) \times 89 \div 7$ = -389.0571428....	12+3-45.6×89÷7	-389.0571428
$963 \times (56-23) = 31779$	56-23×963	31779.
$12369 \times 7532 \times 74103 \div$ 6.9036806×10^{12} (= 6903680600000)	12369×7532×74103	6.9036806 12
$1.23 \div 56 \div 78.9 \div$ 2.7838131×10^{-4} (= 0.00027838131)	1÷23÷56÷78.9	2.7838131 -04
$(7.9 \times 10^{56}) \div (4.6 \times 10^{74}) \times$ $(1.3 \times 10^{23}) =$ 223260.8695....	7÷9×56÷4÷6×74 ×1÷3×23	223260.8695

- * The **±** key changes the sign of displayed number from plus to minus (or vice versa). To enter the negative exponent, use the **±** key before or after entering the exponent.

$(-9) \times 2.6 - (-12.3) = -11.1$	9±×2×6-12.3±	-11.1
$((4.5 \times 10^6) + (-7.8 \times 10^5)) \times (1.2 \times 10^{-19}) \times (-2.3 \times 10^{-26})$ = -1.02672 × 10 ⁻³⁸	4×5×6+7×8×5× 1÷2×19±×2÷3×26±	3720000. -1.02672 -38

1-4. CONSTANT CALCULATION

ENTRY **+** **+** (**-** **-** , **×** **×** or **÷** **÷**) ENTRY **EQ** obtains answer.

→ To be set as a constant.

* To renew the constant, follow the operation step as above.

EXAMPLE	OPERATION	READ-OUT
$3 + 2.3 = 5.3$	2 \square 3 \blacksquare \blacksquare 3 \blacksquare	5.3
$6 + 2.3 = 8.3$	6 \blacksquare	8.3
$7 - 5.6 = 1.4$	5 \square 6 \blacksquare \blacksquare 7 \blacksquare	1.4
$(-4.5) - 5.6 = -10.1$	4 \square 5 \blacksquare \blacksquare	-10.1
$2.3 \times 12 = 27.6$	12 \blacksquare \blacksquare 2 \square 3 \blacksquare	27.6
$(-9) \times 12 = -108$	9 \blacksquare \blacksquare	-108.
$74 \div 2.5 = 29.6$	2 \square 5 \blacksquare \blacksquare 74 \blacksquare	29.6
$85.2 \div 2.5 = 34.08$	85 \square 2 \blacksquare	34.08
$17 + 17 + 17 + 17 = 6.8$	1 \square 7 \blacksquare \blacksquare \blacksquare \blacksquare	3.4
		5.1
		6.8

* Reciprocal calculations can be performed by the use of the constant capability.

$\frac{56}{4 \times (2 + 3)} = 2.8$	2 $\boxed{+}$ 3 $\boxed{\times}$ 4 $\boxed{\div}$ $\boxed{=}$ 56 $\boxed{=}$	20. 2.8
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1-5. MEMORY CALCULATION

This calculator is equipped with one independent memory, using **M+** and **MR**, as well as 10 data memories using **EMT** and **ANS**.

(1) CALCULATION USING THE INDEPENDENT MEMORY

ENTRY \times (\div , $+$, or $-$) ENTRY \blacksquare Obtains answer and auto-

: : matically accumulates it into the memory positively.

MR Recalls the accumulated total in the memory.

Clears contents of the memory.

- * To accumulate a number into the memory negatively, change the sign from plus to minus by the \pm key prior to depressing the MC key.
- * Be sure to depress the MC key prior to starting a memory calculation.

EXAMPLE

$$\begin{array}{r}
 852 \times 147 = 125244 \\
 -) 789 \times 654 = 516006 \\
 \hline
 -390762
 \end{array}$$

$$\begin{array}{r}
 70 + 40 + 100 = 210 \\
 +) 80 - 5 + 20 = 95 \\
 \hline
 305
 \end{array}$$

$$\begin{array}{r}
 4.5 \times 12 = 54 \\
 -) 5.6 \times 12 = 67.2 \\
 +) 6.4 \times 12 = 76.8 \\
 \hline
 63.6
 \end{array}$$

OPERATION

$\text{MC} 852 \times 147 \text{MC}$
 $789 \times 654 \pm \text{MC}$
 MR
 $\text{MC} 70 + 40 + 100 \text{MC}$
 $80 - 5 + 20 \text{MC}$
 MR
 $\text{MC} 12 \times 4 \times 5 \text{MC}$
 $5 \times 6 \pm \text{MC}$
 $6 \times 4 \text{MC}$
 MR

READ-OUT

125244.
-516006.
-390762.
210.
95.
305.
54.
-67.2
76.8
63.6

- * The MC key also works to transfer a number displayed, whether entry or result, to the memory positively as many times as the MC key is depressed.

$$7 + 7 - 7 + (2 \times 3) + (2 \times 3) = 19$$

$\text{MC} 7 \text{MC} \text{MC} \pm \text{MC} 2 \times 3 \text{MC} \text{MC} \text{MC}$

19

(2) CALCULATION USING THE DATA MEMORIES

- * There are 10 data memories : 1~9 and 0. Data and answers can be freely stored in any of these.
- * Normally, displayed number is stored in the memory. When a new number is entered into the memory, the previous number stored is cleared automatically and the new number is stored.
- * When a number is put into a data memory the memory number and the "ENT" lamp light: when a number is recalled from the memory, the memory number and the "ANS" lamp light.

EXAMPLE

$$\begin{array}{r}
 193.2 \div 23 = 8.4 \\
 193.2 \div 28 = 6.9 \\
 193.2 \div 42 = 4.6
 \end{array}$$

OPERATION

$193 \div 2 \text{ENT} 1$
 $\text{ANS} 23 \text{MC}$
 $\text{ANS} 1$
 $193 \div 28 \text{MC}$
 $\text{ANS} 1$
 $193 \div 42 \text{MC}$

READ-OUT

$\text{ENT} 1$	193.2
	8.4
$\text{ANS} 1$	193.2
	6.9
$\text{ANS} 1$	4.6

EXAMPLE**OPERATION****READ-OUT**

$$(1 \times 8 + 1) \times 12345679 = 111111111$$

$$(2 \times 8 + 2) \times 12345679 = 222222222$$

$$(3 \times 8 + 3) \times 12345679 = 333333333$$

1 ENT 1 X 8 ENT 2 + ANS 1 X 12345679 ENT 3 =

2 ENT 1 X ANS 2 + ANS 1 X ANS 3 =

3 ENT 1 X ANS 2 + ANS 1 X ANS 3 =

$$\frac{9 \times 6 + 3}{(7 - 2) \times 8} = 1.425$$

9 X 6 + 3 = ENT 1

7 - 2 X 8 = ENT 2

ANS 1 - ANS 2 =

1 1 1 1 1 1 1 1 1 .

2 2 2 2 2 2 2 2 .

3 3 3 3 3 3 3 3 .

$$(2 + 3) \times (9 - 5) - (8 \times 6) + (7 \div 4) = -26.25$$

 2 + 3 = ENT 1 9 - 5 = ENT 2 8 X 6 = ENT 3 7 ÷ 4 MC =

ANS 1 X ANS 2 - ANS 3 + MR =

-26.25

1-6. FUNCTION CALCULATION

This calculator computes various specific functions at one touch, independent of basic arithmetic calculations.

- * The maximum effective number of digits for functions is 8. Output accuracy is ± 1 in the 8th digit (± 1 in the 7th digit for x^y).
- The effective number of digits for \sqrt{x} , $\sqrt[3]{x}$ and $\sqrt[n]{x}$ is 10.

(1) SEXAGESIMAL \rightarrow DECIMAL CONVERSION

The \square^{m} key converts the sexagesimal figure (Degree, Minute and Second) to decimal scale.

EXAMPLE**OPERATION****READ-OUT**

$$63^{\circ}52'41'' = 63.87805555\dots$$

 63 \square^{m} 52 \square^{m} 41 \square^{m}

63.87805555

(2) TRIGONOMETRIC FUNCTION

The \sin , \cos and \tan keys obtain each trigonometric value of the entry. In case the degree is given on the sexagesimal scale, it is necessary to convert the figure to the decimal scale before performing the trigonometric functions.

Input range: $\sin x / \cos x / \tan x$; $|x| \leq 1440^\circ$ (8π rad, 1600 gra)

EXAMPLE**OPERATION****READ-OUT**

$$\sin 63^{\circ}52'41''$$

$$= 0.89785901$$

$$\cos\left(\frac{\pi}{3}\text{rad}\right) = 0.5$$

 "DEG" 63 \square^{m} 52 \square^{m} 41 \square^{m} sin

0.89785901

"RAD"

 π \square 3 \square cos

0.5

EXAMPLE

OPERATION

READ-OUT

 $\tan(-35\text{gra}) = -0.61280079$

"GRA"

35 [arc]

-0.61280079

 $2\sin 45^\circ \times \cos 65^\circ = 0.597672473$

"DEG" 2 [sin] 45 [cos] 65 [cos]

0.597672473

(3) INVERSE TRIGONOMETRIC FUNCTION

The **[arc]** key performs each inverse trigonometric function in combination with the **[sin]**, **[cos]** or **[tan]** key.

Input range: $\sin^{-1} x / \cos^{-1} x; |x| \leq 1$
 $\tan^{-1} x; |x| < 1 \times 10^{100}$

EXAMPLE

OPERATION

READ-OUT

 $\sin^{-1} 0.5 = 30^\circ$

"DEG"

0.5 [arc] [sin]

30.

 $\cos^{-1} \frac{\sqrt{2}}{2} = 0.78539816 \text{ rad} (\approx \frac{\pi}{4} \text{ rad})$

"RAD"

2 [sqrt] 2 [arc] [cos]

[pi] [cos]

0.78539816

0.249999998

 $\tan^{-1} 0.6128 = 31.499967^\circ (\approx 31^\circ 30')$

"DEG"

0.6128 [arc] [tan]

0.31 [x] 60 [cos]

31.499967

29.99802

 $\sin^{-1} 0.8 - \cos^{-1} 0.7 = 7.557106^\circ$

"DEG" 0.8 [arc] [sin] 0.7 [arc] [cos]

7.557106

(4) LOGARITHMS

The **[log]** key obtains the common logarithms of the number displayed.The **[ln]** key obtains the natural logarithms of the number displayed.Input range: $0 < x < 1 \times 10^{100}$

EXAMPLE

OPERATION

READ-OUT

 $\log 123 = \log_{10} 123 = 2.0899051$

123 [log]

2.0899051

 $\ln 90 = \ln e 90 = 4.4998097$

90 [ln]

4.4998097

 $\log 456 \div \ln 456 = 0.434294475$

456 [log] [ln]

0.434294475

(5) EXPONENTIATIONS

The **[10^x]** key raises the constant 10 to x powers.The **[e^x]** key raises the constant e (base) to x powers.In another words, this is to obtain antilog x .The **[x^y]** key raises x to y powers. The number displayed when the **[x^y]** key is

used, is an intermediate result.

Input range: 10^x ; $|x| < 100$
 e^x ; $|x| \leq 230$
 x^y ; $0 < x < 1 \times 10^{100}$

EXAMPLE	OPERATION	READ-OUT
$10^{1.23} = 16.982437$	1 \square 23 \boxed{w}	16.982437
$e^{4.5} = 90.017131$	4 \square 5 e^x	90.017131
$2.3^{5.6} = 106.09035$	2 \square 3 $\boxed{x} 5 \square 6 \boxed{w}$	106.09035
$(78 - 23)^{-12} = 1.3051118 \times 10^{-21}$	78 \square 23 $\boxed{x} 12 \boxed{z} \boxed{w}$	1.3051118 - 21
$4^{2.5} = 32$	2 \square 5 $\boxed{x} \boxed{x} 4 \boxed{w}$	32.
$0.16^{2.5} = 0.01024$	0 \square 16 \boxed{w}	0.01024
$5.76^{2.5} = 79.62624$	5 \square 76 \boxed{w}	79.62624
$3^{12} + e^{10} = 553467.466$	3 $\boxed{x} 12 \boxed{+} 10 e^x \boxed{w}$	553467.466

(6) SQUARE ROOT & RECIPROCALS

The $\sqrt{\quad}$ key extracts the square root of the number displayed.

The $\frac{1}{\sqrt{\quad}}$ key obtains the reciprocal of the number displayed.

Input range: $\sqrt{\quad}; 0 \leq x < 1 \times 10^{100}$

$1/x; |x| < 1 \times 10^{100} \quad x \neq 0$

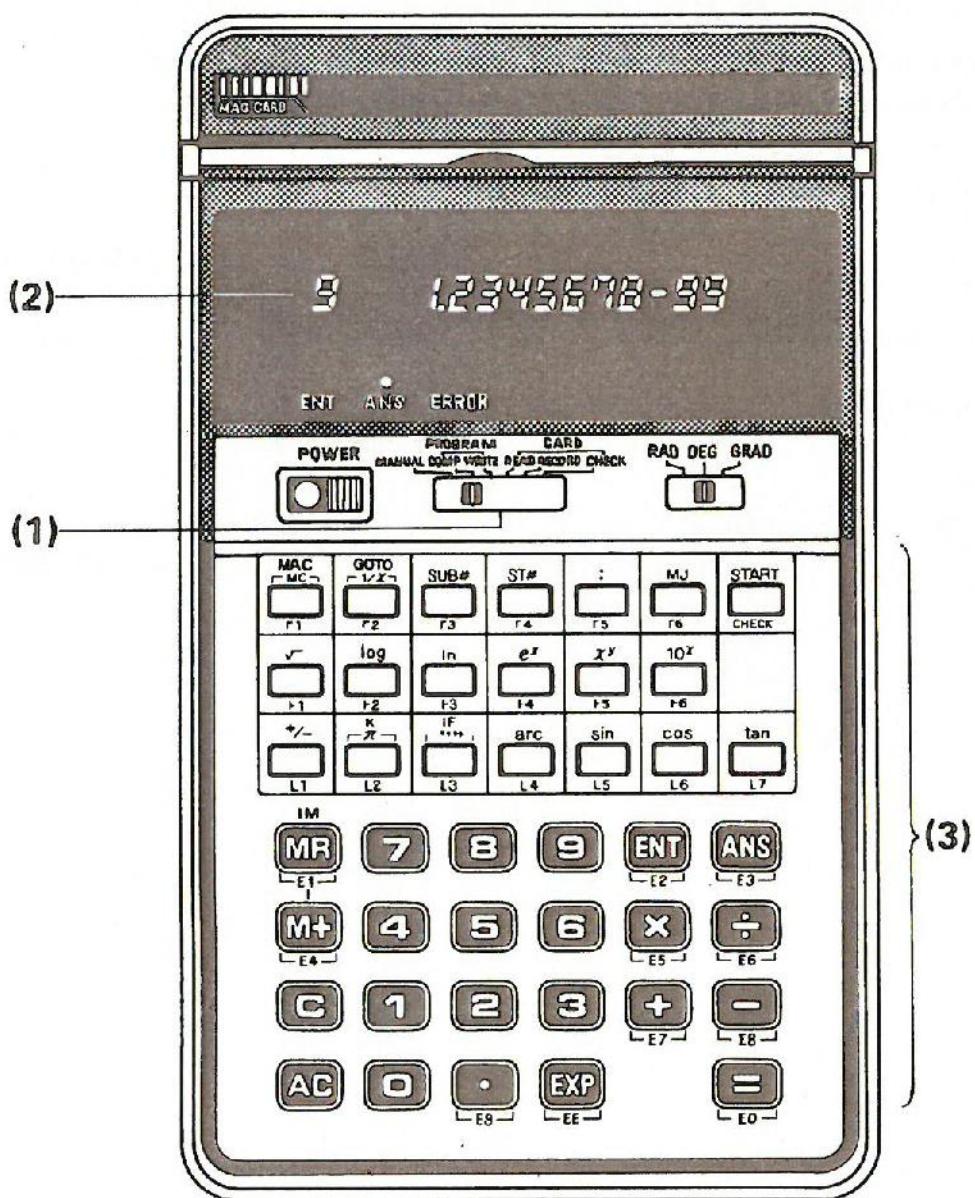
EXAMPLE	OPERATION	READ-OUT
$\sqrt{2} + \sqrt{3} = 3.146264369$	2 $\sqrt{\quad} + 3 \sqrt{\quad} \boxed{w}$	3.146264369
$\frac{1}{5 + \frac{1}{3}} = 0.1875$	5 $\boxed{+} 3 \boxed{\sqrt{\quad}} \boxed{w} \boxed{\sqrt{\quad}}$	0.1875
$\sqrt[7]{123} = 123^{\frac{1}{7}} = 1.9886478$	123 $\boxed{x} 7 \boxed{\sqrt{\quad}}$	1.9886478

PART-2

How to perform program calculations

Program calculation is explained in Part 2. Whether or not a program is convenient is determined by the program content. Since programming is all based on theory, perfect understanding of the basic principles allows better programming and more efficient use of this calculator.

2-1. KEYBOARD





(1) PROGRAM SWITCH

MANUAL (Manual mode) ... Set to this position for manual calculations where a program is not used. This position will be indicated by <MANUAL> in this instruction manual.

COMP (Compute mode) ... Set to this position to perform calculations using a program.

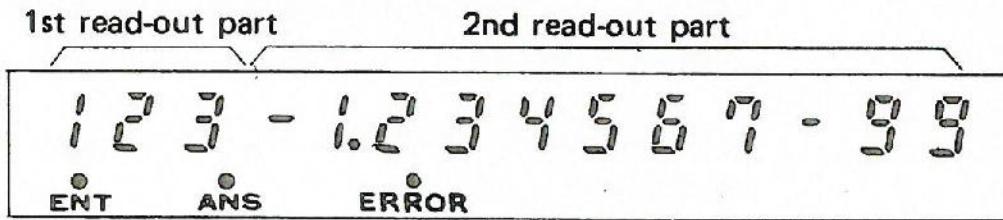
Indicated by <COMP>.

WRITE (Write mode) Set to this position when storing a program in the calculator, or to check a stored program.

Indicated by <WRITE>.

Note: When the **ENT** or **REC** key is depressed immediately after the program switch position is changed, 0.0000 way appear in the read-out. Subsequent calculations, however, can be made correctly.

(2) READ-OUT :



- * 1st read-out part the first 3 digits of the read-out display program step numbers or data memory number.
- * 2nd read-out part displays entries, answers, or the program contents as code number or values. “—” also lights in the first column when the calculator is calculating.
- * ENT (entry) lamp This lamp lights together with the display of the memory number when waiting the input of program data. Indicated by **ENT**.
- * ANS (answer) lamp This lamp lights together with the memory number when an answer to a program calculation is displayed. Indicated by **ANS**.
- * The operation of the angular mode selector is the same as for manual calculations.

(3) OPERATION KEYS :

The numeral and decimal point keys (**1** ~ **9** , **0** , **.**), command keys (**+** , **-** , **×** , **÷** , **≡** , **≡** , **EXP**) and function calculation keys (**√** , **log** , **ln** , **e^x** , **x^y** , **10^x** , **arc** , **sin** , **cos** , **tan** ,) are used in the <WRITE> mode to write program into the calculator. In the <COMP> mode, they work to give the respective calculation commands.

ENT DATA ENTRY KEY :

<WRITE> mode Use to write in data input messages.

<COMP> mode Use to advance the program by the operation Data **ENT** .

ANS ANSWER KEY :

<WRITE> mode Use to write in answer display messages.
<COMP> mode Use after reading out an answer to advance the program.

MAC MEMORY ALL CLEAR KEY (MC) :

<WRITE> mode Use to write in a clear command for the 10 data memories and I-memory.
<COMP> mode Clears 10 data memories and I-memory.
It works as independent memory clear (MC) only in the <MANUAL> mode.

GOTO GOTO KEY (1/x) :

<WRITE> mode Use to write in unconditional jump commands.
<COMP> mode Works as $\frac{1}{x}$ (reciprocal key).

SUB# SUBROUTINE KEY :

<WRITE> mode Use to write in subroutine programs.
<COMP> mode No command.

ST# STATEMENT NUMBER KEY :

<WRITE> mode Use to write in the address to which both conditional and unconditional jumps are made.
<COMP> mode No command.

MESSAGE END KEY :

<WRITE> mode Use to divide formulas and messages in programming.
<COMP> mode No command.

MJ MANUAL JUMP KEY :

<WRITE> mode Use to write in MJ commands in programs.
<COMP> mode Use during execution of a program to make a jump at the MJ position in the program.

CHEK CHECK KEY (START START KEY) :

<WRITE> mode Use when advancing a written program ahead 1 step (called program check). Shown as **CHEK** in this manual.
<COMP> mode Use to start a program calculation (to read the program from the first step). Shown as **STA** in this manual.

K CONSTANT WRITE-IN KEY (π) :

<WRITE> mode Use to write in constants in a program.
<COMP> mode Works as a π (Pi) key.

IF IF KEY (‰) :

<WRITE> mode Use to write in conditional jump commands.
<COMP> mode Works as a $\frac{‰}{‰}$ (Sexagesimal \rightarrow decimal conversion key.)

I INDIRECT KEY (M+) :

<WRITE> mode Use to write in the command to store a value in the I-memory

<COMP> mode No command

IM INDIRECT MEMORY KEY (MR) :

<WRITE> mode Use to write in the command to indirectly address the values stored in the I-memory during calculation.

<COMP> mode No command.

It works as **MR** (Independent memory recall) only in <MANUAL> mode.

C CLEAR KEY :

<WRITE> mode Use to back up a written program one step and clear.

<COMP> mode Use to clear displayed data or answers.

AC ALL CLEAR KEY :

<WRITE> mode Use to erase a written program.

<COMP> mode Use when desired to stop a program calculation.

2-2. INTERNAL MEMORIES (FOR USE WITH PROGRAM CALCULATIONS)

Arithmetic operations register	
Function calculations register	
Independent memory 1 can not be used in program calculations
Data memory 1 Data memory 9 Data memory 0	10 for storing data and answers during calculations
I-memory 1 for indirect address indication, only 1 digit (1~9, 0) can be stored.
Program memory (127 steps)	

2-3. PROGRAM STEPS AND COMMAND CODES

When the program switch is set at <WRITE> position, step numbers and command codes are displayed to indicate what step up a program is being written in or during check to indicate what step belongs to what command, etc.

* Step number Displayed in the 1st read-out part.

Steps are normally counted using one key for each step.

* Command code . . . Three steps are displayed simultaneously in the 2nd read-out part.

Command codes are written below the command keys and consist of symbols (F, T, L, E) and numerals (1~9, 0).

For example:

037 E2 6 Γ5

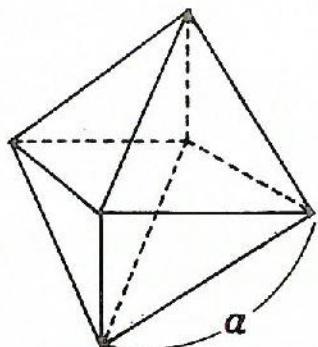
Step No.	Second previous command	Previous command	Displayed command step
----------	-------------------------	------------------	------------------------

2-4. EXPLANATION OF BASIC PROGRAMS

* The steps for using a program to make a calculation are as follows.

- (1) Investigate the problem and determine the formula to be used.
- (2) Make a program for the formula (Programming).
- (3) Store the program in the calculator (Writing in).
- (4) Use the stored program to make the calculation (Program calculation).

EXAMPLE: To find the surface area and volume of a regular octahedron with 10 cm sides. With 7 cm sides? With 15 cm sides?



Length of side (a)	Surface area(s)	Volume(v)
10 cm	(346.4101614) cm ²	(471.4045206) cm ³
7	(169.740979)	(161.6917505)
15	(779.4228631)	(1590.990256)

(1) Formula: Surface area = S ; Volume = V ; Length of side = a .

$$\text{Therefore, } S = 2 \sqrt{3}a^2, V = \frac{\sqrt{2}}{3}a^3$$

(2) Programming:

a. Each item of the formula will correspond to data memory number ①~⑨,⑩.

Surface area S in memory ①

Volume V in memory②

Length of one side a in memory ③; therefore

$$S = 2 \sqrt{3} a^2 \text{ becomes } ① = 2 \times \sqrt{3} \times ③ \times ③;$$

and, $V = \frac{\sqrt{2}}{3} a^3$ becomes ② = $\sqrt{2} \div 3 \times ③ \times ③ \times ③$.

These formulas can be used without change in the program, except that K must be placed before the constants 2 and 3 stored. Consequently, the program will be:

$$1 = K2 \times K3\sqrt{x} 3 \times 3 :$$

(①(S) is the constant 2 multiplied by the square root of 3 and this multiplied twice by ③(a).)

$$2 = K2\sqrt{\div} K3 \times 3 \times 3 \times 3 :$$

(②(V) is the square root of the constant 2 divided by the constant 3 and this multiplied by ③(a) three times.)

b. The data to be input into the formula are:

the length of one side a, so write:

ENT 3 : (input is ③(a).)

* "ENT n₁ : n₂ ..." are called data input message (ENT message).

c. Which are the answers to the calculations?

The answers are S (surface area) and V (volume) so write:

ANS 1 : 2 : (answers are ①(S) and ②(V).)

* "ANS n₁ : n₂ ..." are answer display messages (ANS messages).

The basic programming sequence is:

1. ENT message
2. Calculation formula
3. ANS message.

When we place the above programs in correct sequence for programming we get:

ENT 3 :

$$1 = K2 \times K3\sqrt{x} 3 \times 3 :$$

$$2 = K2\sqrt{\div} K3 \times 3 \times 3 \times 3 :$$

ANS 1 : 2 :

(3) Writing in programs :

To write a program into the calculator:

1. Set the program switch at <WRITE>.

2. Key-in the program in correct sequence.

(To erase a previously stored program, press **AC** after setting at <WRITE>.)

OPERATION	READ-OUT	REMARK
Program switch at <WRITE>	0.	
AC	000	(Progarm clear, 0 displayed).
ENT	001 E2	(Step No.1, ENT)
3	002 E2 3	(Step No.2, value 3)
:	003 E2 3 Γ5	(Step No.3, :)

OPERATION

READ-OUT

REMARK

①	004	3	Γ5	1	(Step No.4, value 1)
②	005	Γ5	1	EO	(Step No.5, ②)
③	006	1	EO	L2	(Step No.6, ③)
④	007	EO	L2	2	(Step No.7, value 2)
⑤	008	L2	2	E5	(Step No.8, ⑤)
⑥	009	2	E5	L2	(Step No.9, ⑥)
⑦	010	E5	L2	3	(Step No.10, value 3)
⑧	011	L2	3	Γ1	(Step No.11, ⑧)
⑨	012	3	Γ1	E5	(Step No.12, ⑨)
⑩	013	Γ1	E5	3	(Step No.13, value 3)
⑪	014	E5	3	E5	(Step No.14, ⑪)
⑫	015	3	E5	3	(Step No.15, value 3)
⑬	016	E5	3	Γ5	(Step No.16, ⑬)
⑭	017	3	Γ5	2	(Step No.17, value 2)
⑮	018	Γ5	2	EO	(Step No.18, ⑮)
⑯	019	2	EO	L2	(Step No.19, ⑯)
⑰	020	EO	L2	2	(Step No.20, value 2)
⑱	021	L2	2	Γ1	(Step No.21, ⑱)
⑲	022	2	Γ1	E6	(Step No.22, ⑲)
⑳	023	Γ1	E6	L2	(Step No.23, ⑳)
㉑	024	E6	L2	3	(Step No.24, value 3)
㉒	025	L2	3	E5	(Step No.25, ㉒)
㉓	026	3	E5	3	(Step No.26, value 3)
㉔	027	E5	3	E5	(Step No.27, ㉔)
㉕	028	3	E5	3	(Step No.28, value 3)
㉖	029	E5	3	E5	(Step No.29, ㉖)
㉗	030	3	E5	3	(Step No.30, value 3)
㉘	031	E5	3	Γ5	(Step No.31, ㉘)
㉙	032	3	Γ5	E3	(Step No.32, ㉙)
㉚	033	Γ5	E3	1	(Step No.33, value 1)
㉛	034	E3	1	Γ5	(Step No.34, ㉛)
㉜	035	1	Γ5	2	(Step No.35, value 2)
㉝	036	Γ5	2	Γ5	(Step No.36, ㉝)

This completes the programming.

* In the <WRITE> mode, each time a key is pressed, that command is stored in the memory as a program. The number of step and the code number of the command written in, together with the code number of the previous

two commands, are displayed simultaneously in the read-out.

(4) Program calculation :

To perform a calculation using the program:

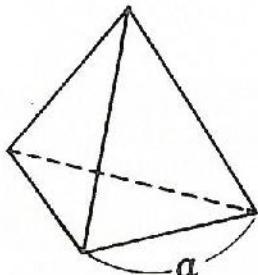
1. Set the program switch at <COMP> position.
(When using a program including trigonometric or inverse trigonometric functions you must also set the angular mode selector as required.)
2. Press the **STA** key.
3. When the **ENT** lamp lights, input the required data for the indicated memory number and press **ENT**.
4. The answer is displayed by the memory number when the **ANS** lamp lights.
(After reading out the answer, press **ANS** or **ENT** to advance the program.)
5. Press **STA** if desired to repeat the program calculation.
6. Press **AC** to stop the program calculation.

OPERATION	READ-OUT	REMARK
Program switch at <COMP>	STA ENT 3 0. → Memory ③(a) input	
(To advance the program)	10 ENT ANS 1 346.4101614 → Memory ①(S) answer	
(To repeat the calculation)	ANS ANS 2 471.4045206 → Memory ②(V) answer	
(If one side = 7cm)	STA ENT 3 0. (Memory ③ input)	
7 ENT ANS 1 169.740979 (Memory ① answer)		
	ANS ANS 2 161.6917505 (Memory ② answer)	
	STA ENT 3 0.	
(If one side = 15 cm)	15 ENT ANS 1 779.4228631	
	ANS ANS 2 1590.990256	
(Program calculation completed)	AC 0.	

* In program calculations, one advances in accordance with the lamps and the memory numbers displayed in the 1st read-out part to find the solution to the problem. The program can be advanced using either the **ENT** or the **ANS** keys.

2-5. HOW TO CHECK, ERASE AND CHANGE PROGRAMS

EXAMPLE: To find the surface area and volume of a regular tetrahedron with sides 10cm long. If sides are 7.5cm? If sides are 20cm?



Length of side (a)	Surface area(s)	Volume(v)
10 cm	(173.2050807) cm ²	(117.8511301) cm ³
7.5	(97.42785789)	(49.71844553)
20	(692.8203228)	(942.8090412)

(1) Formula: Surface area = S; Volume = V; Length of side = a;
therefore, $S = \sqrt{3}a^2$, $V = \frac{\sqrt{2}}{12}a^3$

(2) Programming: S in memory①; V in memory②; a in memory③;
therefore, ENT 3 :
1 = K3 \sqrt{x} 3 x 3 :
2 = K2 $\sqrt{\div}$ K12 x 3 x 3 x 3 :
ANS 1 : 2 :

This program may be written into the calculator from the beginning but it closely resembles the octahedron program on page 17 so that program can be revised if the methods of program checking, erasing, correction, etc., are understood.

(3) Program check and changes:

Program check is recalling the program written into the program memories to the display to confirm the contents. Each time the **CH** key is pressed in the <WRITE> mode, the step numbers and contents are displayed one at a time, just as when the program was written.

The required steps are displayed in program check also to make use, erase or change previously stored programs.

If we compare the two programs:

- A. Erase the 2nd item "K2 x" of the octahedron program.
- B. Change the octahedron program from the 3rd item "K2 $\sqrt{\div}$ K".

OPERATION	READ-OUT	REMARK
Program switch at <WRITE>	0.	
CH	001 E2	(Step No.1, ENT)
CH	002 E2 3	(Step No.2, value 3)
CH	003 E2 3 Γ 5	(Step No.3, ENT)
CH	004 3 Γ 5 1	(Step No.4, value 1)
CH	005 Γ 5 1 EO	(Step No.5, ENT)
CH	006 1 EO L2	(Step No.6, ENT)
		→ Erase this.

OPERATION

READ-OUT

REMARK

Erase 1 step.

[005 Γ 5 1 EO]→ Back up the program with . Γ 5 ()[006 1 EO 00]

→ Step No.6, no command

[007 EO 00 2] (Step No.7, value 2)[008 00 2 E5] (Step No.8,)

Erase 2 steps.

[007 EO 00 2] (Step back)[006 1 EO 00] (Step back)[007 EO 00 00] (Step No.7, no command)[008 00 00 00] (Step No.8, no command) , and commands that were in step 6, 7 and 8 are now erased.[009 00 00 L2] (Step No.9,)[010 00 L2 3] (Step No.10, value 3)Next, advance the program to by depressing .[022 2 Γ 1 E6] (Step No.22,)[023 Γ 1 E6 L2] (Step No.23,)

Next, write in the changed section.

[024 E6 L2 1] (Step No.24, value 1)[025 L2 1 2] (Step No.25, value 2)[026 1 2 E5] (Step No.26,)[027 2 E5 3] (Step No.27, value 3)[028 E5 3 E5] (Step No.28,)[029 3 E5 3] (Step No.29, value 3)[030 E5 3 E5] (Step No.30,)[031 3 E5 3] (Step No.31, value 3)[032 E5 3 Γ 5] (Step No.32,)[033 3 Γ 5 E3] (Step No.33,)[034 Γ 5 E3 1] (Step No.34, value 1)[035 E3 1 Γ 5] (Step No.35,)[036 1 Γ 5 2] (Step No.36, value 2)[037 Γ 5 2 Γ 5] (Step No.37,)(Look at the start of the program) [038 2 Γ 5 00] (Step No.38, no command)(Look at the start of the program) [039 Γ 5 00 00] (Step No.39, no command)

No parts of the program are displayed as no command (00).

This completes the changing of the program.

Making a program check :

1. Set the program switch at <WRITE>.
2. Each time **CHK** is depressed, step numbers and command codes are displayed for confirmation. (Steps containing no command are displayed as "00" or blank.)

* In order to make an addition to a program already written in, erase the command in the step where the addition is to be made and write in the new command by pressing the proper keys. Previous programs can be used when steps are erased or the number of steps is reduced but when the number of steps is increased the point from where the addition starts to the end must be written in again.

How to erase and change programs :

1. Advance to the required step using program check.
2. Display the command to be erased and press **C**.
(Using **C**, at the time the program is backed up the command that leaves the display is erased and becomes no command.)
3. Display the step just before the one to be changed and then write in the altered program.
4. For corrections, display the step just before the one to be corrected and write in the new command.

* Program calculations except the message (IF M = m : A : B : C :) are not affected even if erased steps are in the middle of a program.

(4) Program calculation

OPERATION	READ-OUT	REMARK
Program switch at <COMP>	STA ENT 3 0. 10 EXT ANS 1 173.2050807 ANS 2 117.8511301 STA ENT 3 0.	(Memory③(a) input) (Memory①(s) answer) (Memory②(V) answer) (Memory③(a) input)
(To repeat the calculation)	The following is omitted.	

2-6. PROGRAMMING RULES

* There are basic programming rules. Calculations cannot be performed if these rules are not observed.

1) Data input message (ENT message)

- The format is **ENT** **M₁** : **M₂** : **M₃** :
• M₁, M₂, M₃, etc., are memory numbers 1 ~ 9, 0 and I, IM.
• The sequence of memory numbers and I, IM are not determined.
• When inputting data into the memory, the previously stored values are erased and the new values entered.

2) Calculation message

- The format is $M_1 \square M_2 \square \dots$ M_1 must be followed by \square always (the answer memory number). \square cannot be used more than once ($1 = 2 = 3 \times 4$: etc.).
- In function calculations, the function command must be written in after the function data memory number, as in $M_1 \square M_2 \sin \square$.
- M_1, M_2 , etc., are the same as ENT messages. Constants can also be used after \square .
- Calculations are made from the left of \square to the right, regardless of the importance of $\square \square \square \square$ in the calculation message and the answer is put into the memory before \square .
Example: When the memory contents are $\textcircled{2} = 10.1$, $\textcircled{3} = 0.81$, and $\textcircled{4} = 8$, $(10.1 + 0.81) \times 8 - 10.1$ is calculated on the formula $1 = 2 + 3 \times 4 - 2$: and the answer 77.18 is put into memory $\textcircled{1}$.
- \square and function commands are calculated immediately and used in arithmetic operations. (x^y is the same as an arithmetic operation.)
Example: When memory contents are $\textcircled{1} = 1000$, $\textcircled{2} = 30$, and $\textcircled{4} = 2$ (with "DEG"), $(\sin 30^\circ \times \log 1000)^{-2}$ is calculated on the formula $7 = 2 \sin x \log x^y 4+/-$: and the answer 0.444... is put into memory $\textcircled{7}$.
- The contents of the memories used in the calculation are not changed, excluding the memory to the left of \square .
- There is no limit to the length (number of steps) of a calculation message.
- Complex formulas can be broken down into several simpler formulas.

Example: $x = \sqrt{\frac{(Ax+B)+(Cx+D)}{B+D}}$

A in memory $\textcircled{1}$ D in memory $\textcircled{4}$
B in memory $\textcircled{2}$ x in memory $\textcircled{0}$
C in memory $\textcircled{3}$

If we take:

$(Ax+B)$ in memory $\textcircled{5}$
 $(Cx+D)$ in memory $\textcircled{6}$
 $(B+D)$ in memory $\textcircled{7}$
root in memory $\textcircled{8}$

} Write

$$\begin{aligned} 5 &= 1 \times 2 : \\ 6 &= 3 \times 4 : \\ 7 &= 2 + 4 : \\ 8 &= 5 + 6 \div 7 : \\ 0 &= 8 \sqrt{:} \end{aligned}$$

- Any number of constants can be used in one calculation message but one constant is limited to a 10-digit value.
(When EXP is used, the mantissa is 8 digits and the exponent 2 digits.)
- Constant calculations such as $\square \square$, $\times \times$ can not be assembled in programs.
When multiple calculation commands and function commands are assembled continuously, calculations are made in the same way as in manual calculations.

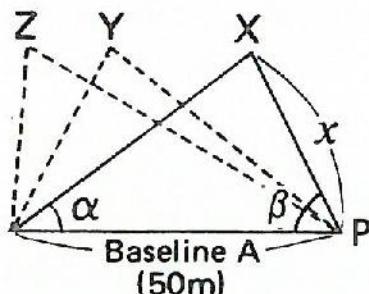
3) Answer display message

- The format is $\text{ANS} \square M_1 \square M_2 \square M_3 \square \dots$.
- M_1, M_2, M_3 , etc., are the data memory numbers ($\textcircled{1} \sim \textcircled{9}, \textcircled{0}$) and IM. (ANS 1 : is impossible.)
- The sequence for getting the answer is not determined.

* Next, we will make actual use of the above rules in making a program.

2-7. HOW TO USE THE MJ (MANUAL JUMP)

Example: In triangle mensuration, with a baseline of 50m, find the angles to points X, Y and Z. What are the distances in meters of PX, PY and PZ shown in the table below?



Point	Baseline A	Angle α	Angle β	Distance x
X	50 m	41°	76°	(36.815...) m
Y	50	61°32'	49°25'	(47.066...) m
Z	50	50°06'03"	37°53'	(38.382...) m

(1) Formula:

$$x = \frac{Ax \sin \alpha}{\sin (180^\circ - \alpha - \beta)}$$

(2) Memory: Baseline A in memory ①

Angle α in memory ②

Angle β in memory ③

Angle $(180^\circ - \alpha - \beta)$ in memory ④

Distance x in memory ⑤

(3) Programming:

ENT 1 : 2 : 3 :
4 = K180-2-3 :
5 = 1x2 sin ÷ 4 sin :
ANS 5 :
↓

}

ENT 1 :
MJ
ENT 2 : 3 :
4 = K180-2-3 :
5 = 1x2 sin ÷ 4 sin :
ANS 5 :

Make in this way.

* In this program it is necessary to input the baseline length for each calculation.

(4) Program calculation :

OPERATION

READ-OUT

REMARK

Program switch at <COMP>

"DEG"

STA	ENT 1	0.	(A input)
50	ENT 2	0.	(α input)
41	ENT 3	0.	(β input)
76	ANS 5	36.81561331	(Distance PX)
MJ	ENT 2	0.	(α input)

→ Jump to the MJ of the program with this key.

61	32	ENT	3	0.
49	25	ENT	ANS 5	47.06613813 (Distance PY)
		STA	ENT 1	0.
			→ STA is touched by error.	
		MJ	ENT 2	0.
			→ Jump to MJ with memory 1 as it is.	
50	6	ENT	3	0.
37	53	ENT	ANS 5	38.38247737 (Distance PZ)
(Program calculation completed) AC 0.				

- * If the baseline changes input from the start with **STA**, and if the baseline is the same input from the angle using **MJ**.

MJ

1. If **MJ** is pressed when a program is stopped (with **ENT**, **ANS**) while performing a calculation, a jump is made up to the written in **MJ** (both backward and forward).
2. When more than one **MJ** are written in, the jump is made to the final one and the others are ignored.
3. If **MJ** is pressed when **MJ** is not written into the program, the program will not operate correctly.

2-8. PROGRAM TO FIND TOTALS (Σ)

Example: There are several triangles, the lengths of the sides of which we know. Find the area of each triangle and the total area.

Triangle	Side <i>a</i>	Side <i>b</i>	Side <i>c</i>	Area S
A	12 m	15 m	19 m	(89.977) m ²
B	19	18.5	25	(174.657)
C	25	14	21.3	(148.972)
Total			(413.607)	

(1) Formula:

$$S = \sqrt{S(S-a)(S-b)(S-c)}$$

$$S = \frac{a+b+c}{2}$$

(2) Memory:

<i>a</i> in the memory ①	<i>S</i> in the memory ④
<i>b</i> in the memory ②	(<i>S-a</i>) in the memory ⑨
<i>c</i> in the memory ③	(<i>S-b</i>) in the memory ⑧
<i>S</i> in the memory ⑩	(<i>S-c</i>) in the memory ⑦
	values within the radical → ⑥

- * In programs for totaling we indicate the memory used for totaling by M and the totaled memory as m, so we get $M = M + m$. This means that the M to which a new answer with m is added becomes a new M. 0 must always be placed before M. To make M into 0, assemble as $M = K 0$; or else use **MAC**. Thus, if we put the total area of the above calculation in memory ⑤:

(3) Programming:

```

MAC
ENT 1 : 2 : 3 :
0 = 1 + 2 + 3 ÷ K2 :
9 = 0 - 1 :
8 = 0 - 2 :
7 = 0 - 3 :
6 = 0 x 9 x 8 x 7 :
4 = 6 √ :
ANS 4 :
5 = 5 + 4 :
ANS 5 :

```

The program calculation with this program is :

<COMP> **STA**
 side (a) **ENT**
 side (b) **ENT**
 side (c) **ENT** → Area display
 (To get the total- **ANS** → Total area?
 ing program) (ANS 5 : to be read)
 (To calculate the **STA**
 following triangle) → The first **MAC** is read and
 the total becomes 0.
 (wrong program).

Here we vary the program sequence and use **MJ**.

```

MAC
MJ
ENT 1 : 2 : 3 :
0 = 1 + 2 + 3 ÷ K2 :
9 = 0 - 1 :
8 = 0 - 2 :
7 = 0 - 3 :
6 = 0 x 9 x 8 x 7 :
4 = 6 √ :
5 = 5 + 4 :
ANS 4 : 5 :

```

The calculation using this program is :

<COMP> **STA**
 side (a) **ENT**
 side (b) **ENT**
 side (c) **ENT** → Area display
 One or the other → When there is (Repeat
 following **MJ** ... from
 triangle side(a) **ENT**)
 → When giving Total
 total **ANS** → area

* When calculating another group of triangle,

→ read **MAC**,
 and the total becomes 0.

How to perform totaling calculations

- 1). Prepare memory M for use in totaling. $M = M+m$: or $M = m+M$: is used. (m is the data or answer memory.)
- 2). This totaling use memory must be made 0 before starting the totaling.
- 3). How to make the totaling memory 0.
 - a. Do not include a clear command in the program but press the **MAC** key before entering the first data of the calculation.
 - b. A clear command such as **MAC**, etc., is included in the first part of the program and below the 2nd line **MAC** is not red. There are also methods using **MJ** or **GOTO** (**GOTO** is explained below.).

2-9. HOW TO USE **GOTO** and **ST#** (UNCONDITIONAL JUMP)

The program given above for finding the total surface area of triangles involves pressing **MJ** once for each triangle to make a jump to after **MAC** but, instead of pressing the key, if the **GOTO** command and **ST#** are programmed in front of the jump this can be done automatically without pressing **MJ** each time. This is an unconditional jump. By adding memory numbers after **GOTO** and **ST#** up to 10 jumps can be programmed.

● Altering the previous program.

```
→ST#2: MAC
→ST#1: ENT 1:2:3:
  0=1+2+3÷K2:
  9=0-1:
  8=0-2:
  7=0-3:
  6=0x9x8x7:
  4=6√:
  5=5+4:
  ANS 4:
  GOTO 1:
  To get
  total
  →MJ ANS 5:
  GOTO 2:
```

- * The calculation using this program is:
<COMP> **STA**
side(a) **ENT** side(b) **ENT** side(c) **ENT** → Area display
(Repeat from
(To advance the program) **ANS** the input of
side (a))
(When finding the total) **MJ** → Total area
(Repeat from
(To advance the program) **ANS** the input of
side (a))
- * In this program calculation, press the keys in accordance with the indications of the displayed **ENT**, **ANS** lamps. If the **MJ** key is considered the total key, anyone can understand the procedure and perform the calculations.

GOTO **ST#**

- 1). By putting in GOTO N: a jump can be made to the program ST#N:.
- 2). N is a natural number from 1 to 9, 0.
- 3). GOTON:, and ST#N: can be added at any position in the program. A maximum of 10 jumps can be used in accordance with the N number.
- 4). GOTO N1: is effective no matter how many times used but ST#N1: can only be used once.
(When ST#N1: is used more than once, only the last is effective.)
- 5). When there is no ST#N1: to correspond to GOTO N1: the program calculation is stopped.

2-10. HOW TO USE **IF** (CONDITIONAL JUMP)

Example: To calculate the square root of the quadratic equation $ax^2 + bx + c = 0$. The way the answer is shown will differ depending on the formula used.

Problem	Coefficient			Answer
	a	b	c	
$8x^2 + 6x + 1 = 0$	8	6	1	$(-0.25, -0.5)$
$2x^2 - 28x + 98 = 0$	2	-28	98	(7)
$2x^2 + 26x + 89 = 0$	2	26	89	$(-6.5 \pm 1.5i)$

1) Formula:

$$x = \frac{-b \pm \sqrt{D}}{2a}$$

$$D = b^2 - 4ac$$

2) Memory :

Coefficient a) in memory ①
b) in memory ②
c) in memory ③

Separate formula D in memory ④

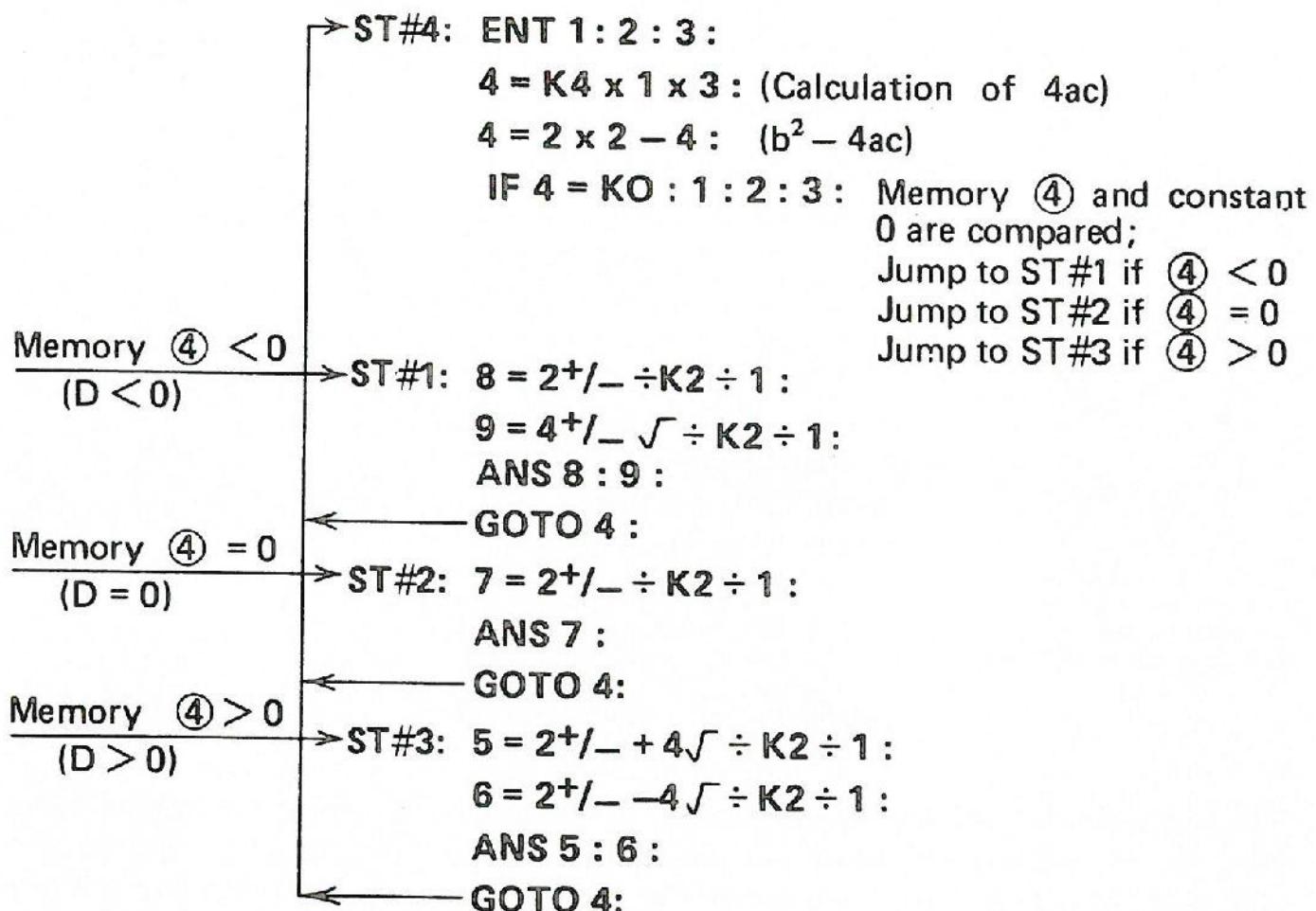
Answer (actual root) in memory ⑤, ⑥

Answer (compound root) in memory ⑦

Answer (imaginary root) { real number part in memory ⑧
imaginary number part in memory ⑨

* The conditional jump is jumping to a different place in accordance with the conditions after comparing the size of the values. **IF** and **ST#** are used. Conditional jump is IF M = m : A : B : C :. This compares M and m; when M is less than m the jump is to ST#A; when M = m the jump is to ST#B; and when M is larger than m the jump is to ST#C.

(3) Programming :



(4) Program calculation :

<COMP> STA a ENT b ENT c ENT

- actual root if **ANS** 5, **ANS** 6 light.
- compound root if **ANS** 7 light.
- imaginary root if **ANS** 8, **ANS** 9 light.

* In any case, the answer can be displayed merely by advancing the program. If advance is continued, a return is made to input of the coefficient a) with ENT 1.

IF

1. By programming IF M = m : A : B : C :, the place to which a jump is to be made can be made by comparing M and m. If M < m the jump is to ST#A; if M = m the jump is to ST#B; if M > m the jump is to ST#C.
2. M and m are data memory numbers, I, IM and constant. A, B and C are natural numbers 1~9,0. If M becomes a negative number when m is a positive constant or I, program IF m = M : A : B : C :.
3. When M ≤ m, A and B are the same values; when M ≥ m, B and C are the same values. A, B and C are written in.
4. A, B and C can be the same as the ST# for GOTO.
5. When calculations are performed without a jump destination, the program calculation is stopped.

2-11. HOW TO USE **I** AND **IM** (INDIRECT ADDRESS)

Example: There are 9 items from A to I. Data is input in sequence starting with A. While the data is stored it is also totaled.

Item	Data
A	25.3
B	63.7
C	6.0
D	57.9
E	70.6
F	15.2
G	50.8
H	41.5
I	32.1
Total	363.1

(1) Formula : Omitted
 (2) Memory : A data in the memory ①
 B data in the memory ②
 C data in the memory ③
 |
 I data in the memory ⑨
 Data total in the memory ⑩

(3) Programming :
 MAC (To get total)
 ENT 1: 2: 3: 4: 5:
 6: 7: 8: 9:

$$0 = 1 + 2 + 3 + 4 + 5 + 6 + 7 + 8 + 9:$$

ANS 0:

This program is arranged in memories ① through ⑨ so count is performed from 1. If the count number is made the same as the memory number it is simpler. The I-memory performs the count. The **IM** command is used to employ the count number as the memory number. In other words, the number of the memory to be used is put into the I-memory and, during the calculation, **IM** is used instead of that number.

For example, **I = K5**:

IM = 2 x 3: is the same as $5 = 2 \times 3$:

Or, with **I = I + K1**: the **I** memory counts 1 for each time the program is read. Therefore, the previous program is written as:

```

  MAC
  → ST#1: I = I + K1:
  ENT IM:
  0 = 0 + IM:
  GOTO 1:
  Total
  → MJ  ANS 0:
  
```

- All memories, including **I**, cleared with **MAC**.
- **I = I + K1** : and $(0 + 1)$ is put into the I-memory
- Since 1 is in the I-memory, **ENT IM** : is the same as **ENT 1** : and $0 = 0 + IM$: is the same as $0 + 1$:
- The 2nd time 1 is in the I-memory so **I = I + K1** : is put into the I-memory as $(1 + 1)$
- **I** is 2 so **ENT IM** : is the same as **NET 2** :. Also, $0 = 0 + IM$: is the same as $0 = 0 + 2$:
- The following is the same until **MJ** is pressed.

I and **IM**

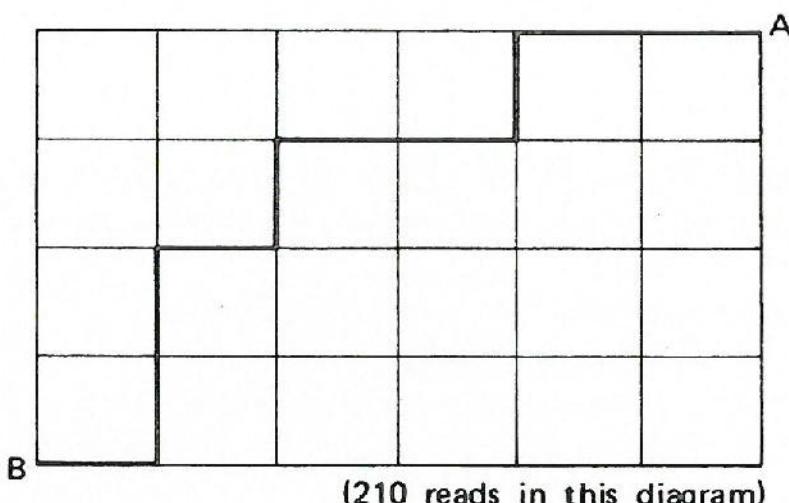
1. When the memory number of the memory to be used is put into the I memory, IM can be used instead of that number.
2. The I memory stores the natural numbers 1~9, 0. For other values only the first digit is stored (1 if 10).
3. When the calculator reads ENT I : , the ENT lamp and "E" light up on the 1st read-out part (this is not an error).
4. The message ANS I : can not be programmed.

2-12. HOW TO USE (SUB#) SUBROUTINE

Example : There are m parallel roads going east and west and n going north and south. In going from northeast corner A to southwest corner B how many roads will be used if the shortest path is taken?

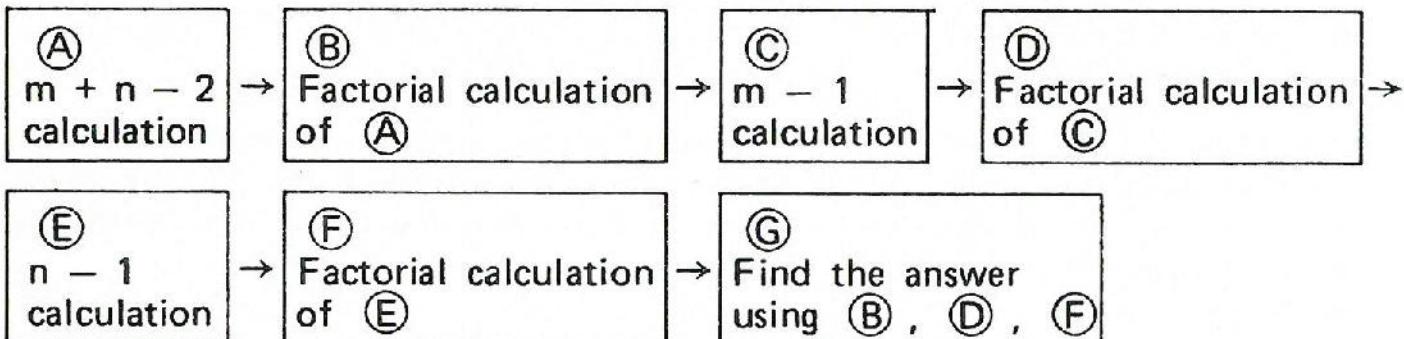
(1) Formula : Numbers to be assembled =
$$\frac{(m+n-2)!}{(m-1)! \times (n-1)!}$$

(2) Memory : m in the $(m-1)!$ in the $(m+n-2)$ in the memory ⑤
memory ① memory ③
 n in the $(n-1)!$ in the Answer in the memory ⑥
memory ② memory ④

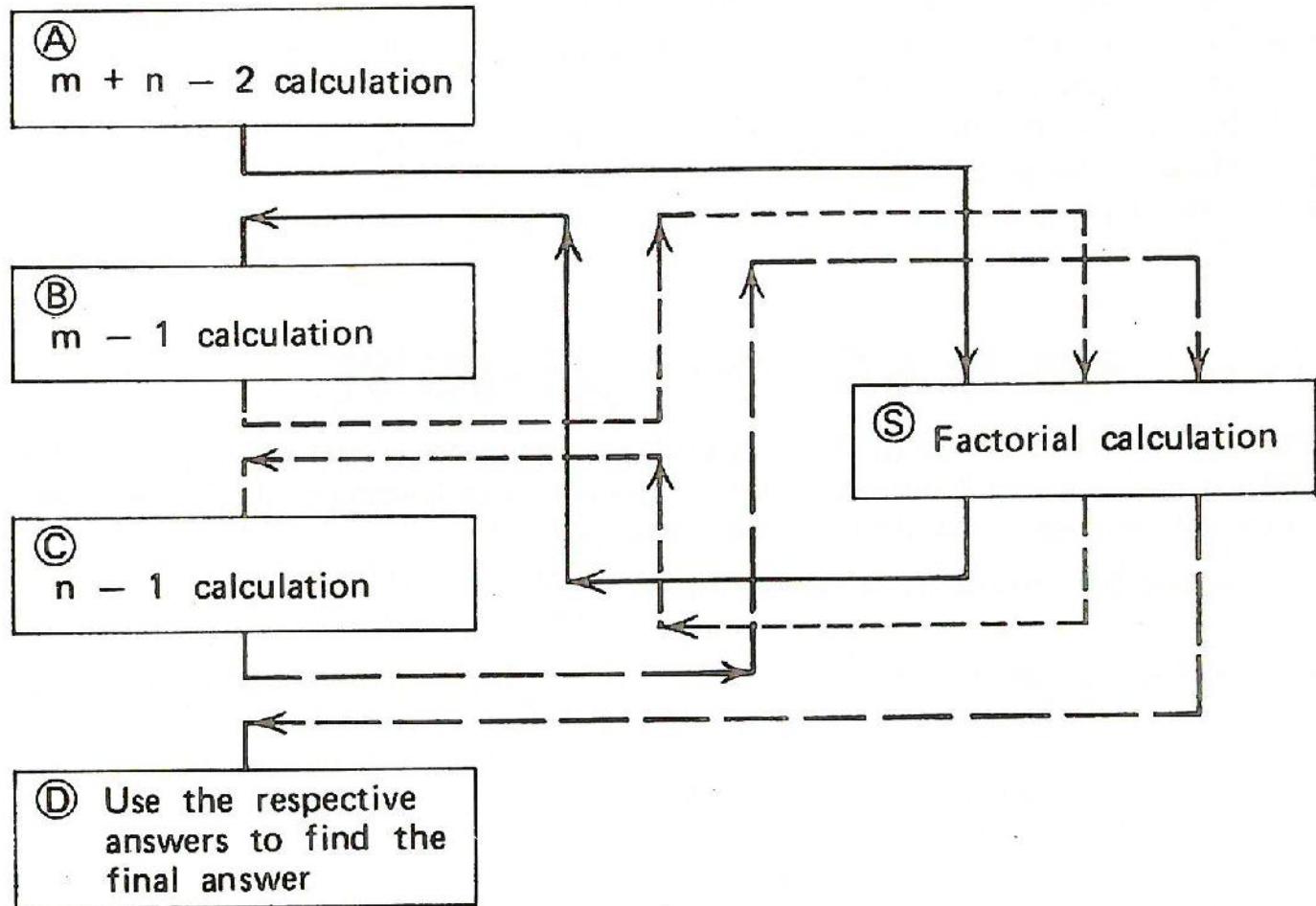


(210 reads in this diagram)

* This calculation is normally performed as follows.



* The same calculation can be performed by making only the factorial calculations independent.



As shown in this diagram, the flow $\textcircled{A} \rightarrow \textcircled{B} \rightarrow \textcircled{C} \rightarrow \textcircled{D}$ is called the main routine. Parts made independent, such as \textcircled{S} , and used as required in the main routine are called subroutines.

Program to find the factorial $n!$ ($n \rightarrow$ memory $\textcircled{0}$, answer $\rightarrow \textcircled{9}$)

ENT 0 :	(Data n in memory $\textcircled{0}$)
9 = K1 :	(First enter 1 in the answer)
\rightarrow ST#8: IF 0 = K1 : 0 : 0 : 9 :	(If n is larger than 1, to ST#9; if $n = 1$ or $n < 1$, to ST#0.)
ST#9: 9 = 9 x 0 :	(Multiply the answer by n)
0 = 0 - K1:	(n reduced by 1)
\rightarrow GOTO 8:	(To ST#8 = repeat)
ST#0: ANS 9 :	(Answer display)

The above is a program for independent factorial calculations but, when this is put in a program as a subroutine, a subroutine number (SUB# N :) is added and it is put at the end of the main routine. When calling out a subroutine from the main routine, use GOTO N :.

When the following program (subroutine program) is executed to the end, SUB# N : returns automatically to the place where the main routine jumped.

(3) Programming :

→ ST#2 : ENT 1 : 2 : (m and n input)
0 = 1 - K1 : (m - 1 in ①)
GOTO 1 : (To subroutine)
3 = 9 : (Answer to m - 1 factorial in ③)
0 = 2 - K1 : (n - 1 in ①)
GOTO 1 : (To subroutine)
4 = 9 : (Answer to n - 1 factorial in ④)
0 = 1 + 2 - K2 : (m + n - 2 in ①)
GOTO 1 : (To subroutine)
5 = 9 : (m + n - 2 factorial in ④)
6 = 5 ÷ 3 ÷ 4 : (Calculation of combined numbers)
ANS 6 : (Display of answer of combined number)
GOTO 2 : (To start to repeat)

SUB#1: 9 = K1 :
ST#8 : IF 0 = K1 : 0 : 0 : 9 :
ST#9 : 9 = 9 x 0 :
0 = 0 - K1 :
GOTO 8 :
ST#0 :

Subroutine program (Compared to the above, data is set by the main routine so ENT 0 : is taken. The answers to the respective factorials need not be seen so ANS 9 : is taken.)

2-13. PROGRAM CALCULATION

<COMP> STA
m ENT
n ENT → answer
ANS
→ (Repeat from m ENT)

SUB#

1. When SUB# N : is placed at the beginning of a program and that program is put at the end of a main program, it is called a subroutine program.
2. When it is desired to execute a subroutine program in a main program, assemble GOTO N :. The N number is the same as the N of SUB# N :. A conditional jump (IF) can also be made to a subroutine.
3. Up to 10 subroutines can be assembled but the same number as the N in SUB# N : cannot be used.
(Consequently, ST# and SUB# together will total 10.)

4. When a subroutine program has been executed (go to the next **SUB# N :** or read to the 127th step), an automatic return is made to the step after the one from which the main program jumped. (This is not **ST# N :**.)
5. The destination of **GOTO** and **IF** jumps in a subroutine are in that subroutine. The destination of a **GOTO** or **IF** jump by a main routine cannot be in a subroutine.
6. A subroutine cannot be called by another subroutine.

- * Special ways of using **SUB#** Using to make program additions.
- * When a change is made in a program already stored in the calculator, the number of steps is increased (insert no command 00 when the number of steps is reduced), or an addition is made to the program, we can use **SUB#** to avoid re-entering all of the program after the changed part. This is especially convenient when changes are made near the start of a long program.

The method

1. Change to **GOTO N :** one line before or after the addition. (When this 1 line is 3 steps or more, enter 00 in the remainder.)
2. Write in the additional program at the end of the program, after **SUB# N :** Do not forget to enter the erased line at the beginning and end of the added part.

EXAMPLE:

ENT 1: 2: 3: Add

0 = 1 + 2 + 3 ÷ K2:

,

,

,

ANS 5:

GOTO 2:

$$\left. \begin{array}{l} 6 = K2 \times 1 \times 2 \times 3 \cos: \\ 7 = 2 \times 2: \\ 8 = 1 \times 1 + 7 - 6: \\ 3 = 8 \sqrt{:} \\ \text{ANS 3:} \end{array} \right\}$$

* Change or addition

1) Change **ENT 1: 2: 3:** to **GOTO 0:** and 4-step no command.

2) Write from **SUB# 0:** **ENT 1: 2: 3:** to added program ----6=to
ANS 3: after the final **GOTO 2:** of the program.

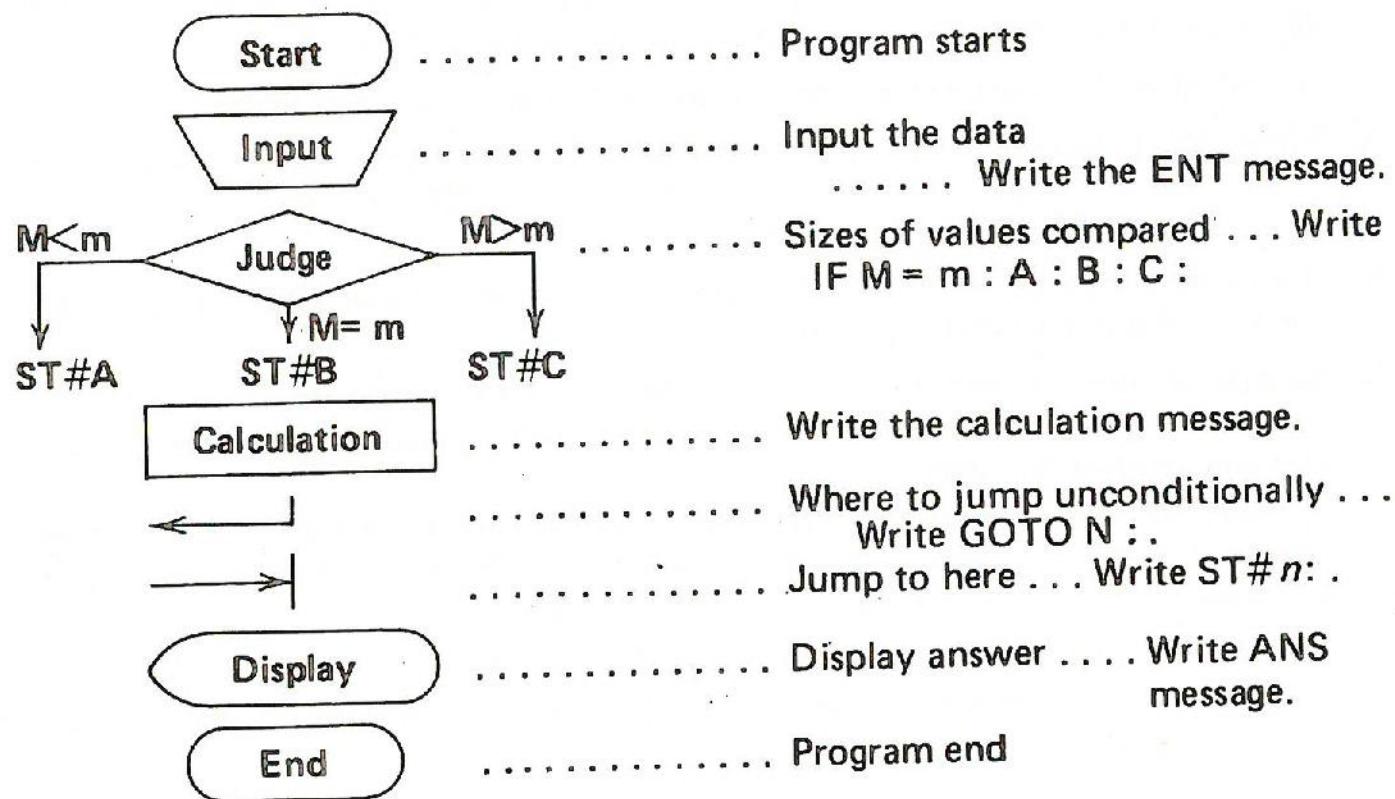
Note: The above change is made when the angle included by two sides (angle in memory ③) is included in the area calculation. The other side is displayed after the calculation and then the area is displayed.

2-14. OPERATION OF THE PROGRAM SWITCH AT <COMP>

1. When performing automatic calculations (program calculations) using a program stored in the calculator, the program switch must be set at <COMP>. **[STA]** is pressed; otherwise, calculations will not be performed.
2. For program calculations either the **[ENT]** or the **[ANS]** lamp will light.
3. When **[AC]** is pressed in program calculation mode, the program preparation mode will first be entered and the **[ENT]** and **[ANS]** keys will not operate. (The **[ENT]** and **[ANS]** lamps also go out.)
4. The program preparation mode is also entered when a program is executed breaking the programming rules.
5. Manual arithmetic and function calculations are possible in either program mode or program preparation mode but the data memories and independent memory cannot be used.
(To see the contents of the data memories, set to <MANUAL>. Because **[AC]** clears all the data memories in <COMP>, both the data and the answer are erased when it is pressed during a calculation.)
6. When an answer is displayed in the program calculation mode (**[ANS]** lamp lit), an entry is made and a program executed, the content of the memory number changes to the entered value.

2-15. WRITING FLOW CHARTS

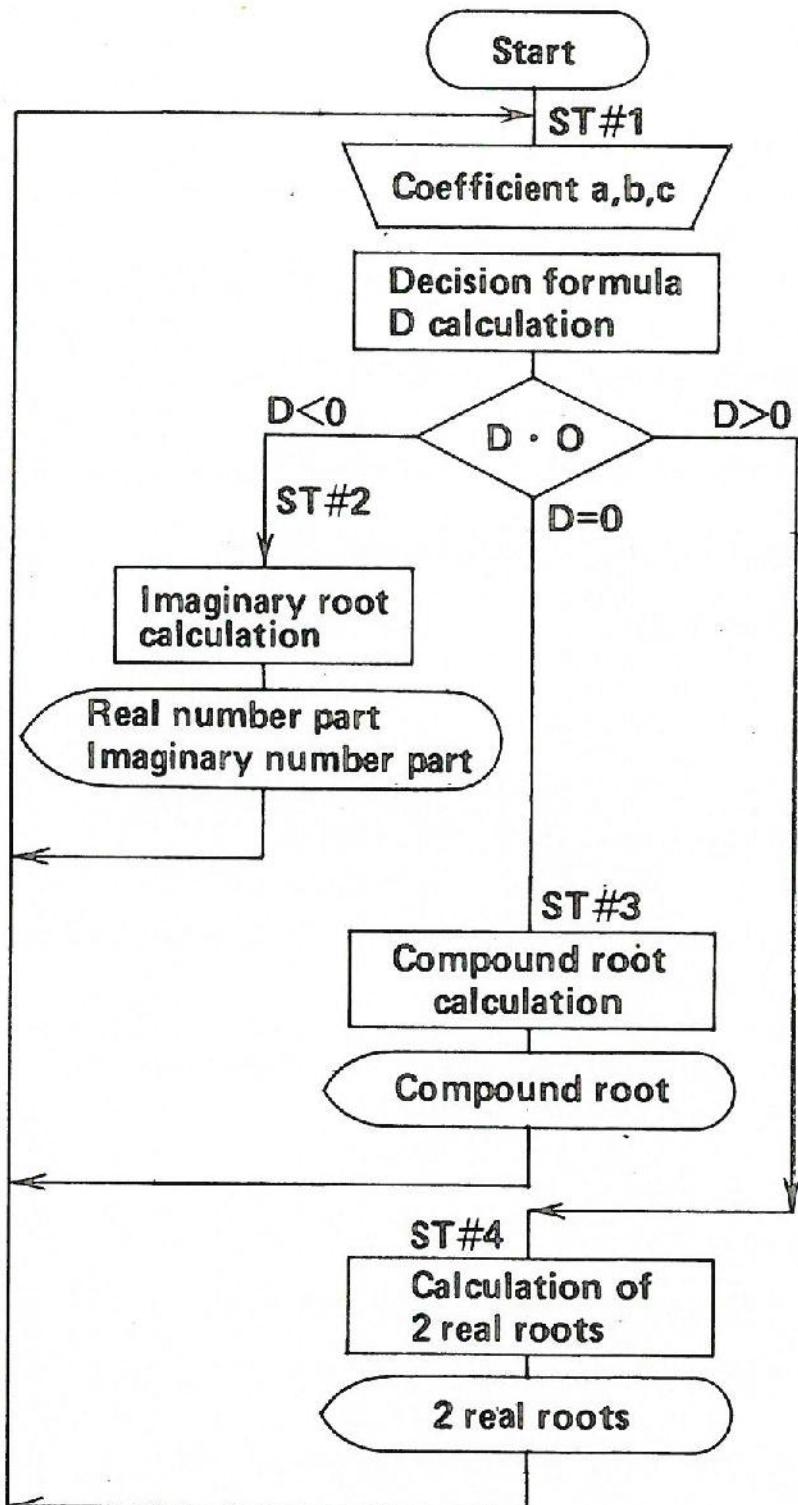
Programs are easier to write when the sequence of the calculation is arranged clearly. This calculation sequence is called the flow chart and the symbols used are determined.



The following is the flow chart for the equation on page 28.

- Content of memories used

(1)	Coefficient a
(2)	Coefficient b
(3)	Coefficient c
(4)	Decision formula D
(5)	Actual root
(6)	Compound root
(7)	Imaginary root
(8)	real number part
(9)	imaginary number part



ST#1 :

ENT 1: 2: 3:

$$4 = K4 \times 1 \times 3:$$

$$4 = 2 \times 2 - 4:$$

IF 4 = K0: 2: 3: 4:

ST# 2:

$$8 = 2 +/ - \sqrt{K2} \div 1:$$

$$9 = 4 +/ - \sqrt{K2} \div 1:$$

ANS 8: 9:

GOTO 1:

ST#3 :

$$7 = 2 +/ - \sqrt{K2} \div 1:$$

ANS 7:

GOTO 1:

ST# 4:

$$5 = 2 +/ - + 4 \sqrt{K2} \div 1:$$

$$6 = 2 +/ - - 4 \sqrt{K2} \div 1:$$

ANS 5 : 6:

GOTO 1:

Note: Because the ST# go from above in sequence the contents are the same but this is not the same as the program on page 29.

2-16. CONCLUSION

- Program calculation sequence

1. Investigate the problem carefully and determine the formula required to obtain the answer.
2. Clarify the procedure required to obtain the answer to the calculation and write this procedure in a flow chart.
3. Program the formula following the flow chart. (Programming)
4. Check the program.
5. Write the program into the calculator (store in the calculator).
6. Check the program for errors.
7. Use the program to perform the calculation obtain the answer.

• BASIC PROGRAM TECHNIQUE

1. Mixed calculation

Example (1).

$$A = (B \times C) + (D \times E) \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow \quad \downarrow$$

$$\begin{matrix} 1 & 2 & 3 & 4 & 5 \\ \downarrow & \downarrow & \downarrow & \downarrow & \downarrow \\ 6 & & & 7 & \end{matrix} \rightarrow \text{The basic} \quad \begin{cases} 6 = 2 \times 3 : \text{ Advance one step} \\ 7 = 4 \times 5 : \begin{cases} 6 = 2 \times 3 : \\ 1 = 6 + 7 : \end{cases} \\ 1 = 4 \times 5 + 6 : \end{cases}$$

When we advance one step the answer can remain in memory ① so,

$1 = 2 \times 3$; put 2×3 memory ①

$1 = 4 \times 5 + 1$; put items added to $④ \times ⑤$ in $①$ again in $①$.

* In the basic form all the contents remain in the memories so there is the advantage of easy checking later.

Example (2).

$$A = \sqrt{B \times C} \rightarrow \text{The basic } \left\{ \begin{array}{l} 4 = 2 \times 3 : \rightarrow \text{This } 1 = 2 \times 3 \sqrt{\quad} : \\ 1 = 4 \sqrt{\quad} : \end{array} \right. \text{ Note that it becomes } A = B \times \sqrt{C} .$$

Because memory ④ is not used this becomes $1 = 2 \times \underline{3}$:

$$1 = 1\sqrt{\quad} \therefore$$

* In extraction calculations, the root is stored in one of the memories.

* The same for finding functions of a calculation result

$(\log \frac{123}{456}, \text{etc})$.

Example (3).

Example (5). $A = \frac{B}{C+D}$ → The basic $\begin{cases} 5 = 3 + 4 : \\ 1 = 2 \div 5 : \end{cases}$ Because memory $\begin{cases} 1 = 3 + 4 : \\ 1 = 2 \div 1 : \end{cases}$
 $\downarrow \quad \downarrow \quad \downarrow \quad \downarrow$
 $\textcircled{1} \quad \textcircled{3} \quad \textcircled{4} \quad \textcircled{5}$ → $\textcircled{5}$

- * When the denominator is sum or difference this is put into the memory.

2. x^y

Example (1) $x = A^2 \Rightarrow 5 = 1x^y K2:$
 $\downarrow \quad \downarrow$
 $\textcircled{5} \quad \textcircled{1}$

- * Rather than this program, $5 = 1 \times 1$: is easier to understand and there are few steps.

Example (2)

$x = A^2 + B^2 \Rightarrow 5 = 1 \times 1:$
 $\downarrow \quad \downarrow \quad \downarrow \quad 5 = 2 \times 2 + 5:$
 $\textcircled{5} \quad \textcircled{1} \quad \textcircled{2}$

- * x^y is used in the same way as the arithmetic operations so caution is required when assembling in continued calculations.

3. Totals, differences, etc. (Write as Σ)

$\underline{9} = \underline{9} + \underline{1} : \text{Sum of square value} \rightarrow 9 = 1 \times 1 + 9 :$
 $\uparrow \quad \uparrow$

Σ memory Data or answer memory

- * It is necessary to make the Σ memory 0 in the beginning.

4. Accumulation (Write as Π)

$\underline{9} = \underline{9} \times \underline{1} :$
 $\uparrow \quad \uparrow$

Π memory Data or answer memory

- * It is necessary to make the Π memory 1 in the beginning.

5. Count

$\underline{6} = \underline{6} + \underline{K1} :$
 $\uparrow \quad \uparrow$

Count memory Constant

- * The number of counts can be checked with **IF** in repeat calculation, etc., when the repeat is automatically stopped after the required number of calculations.

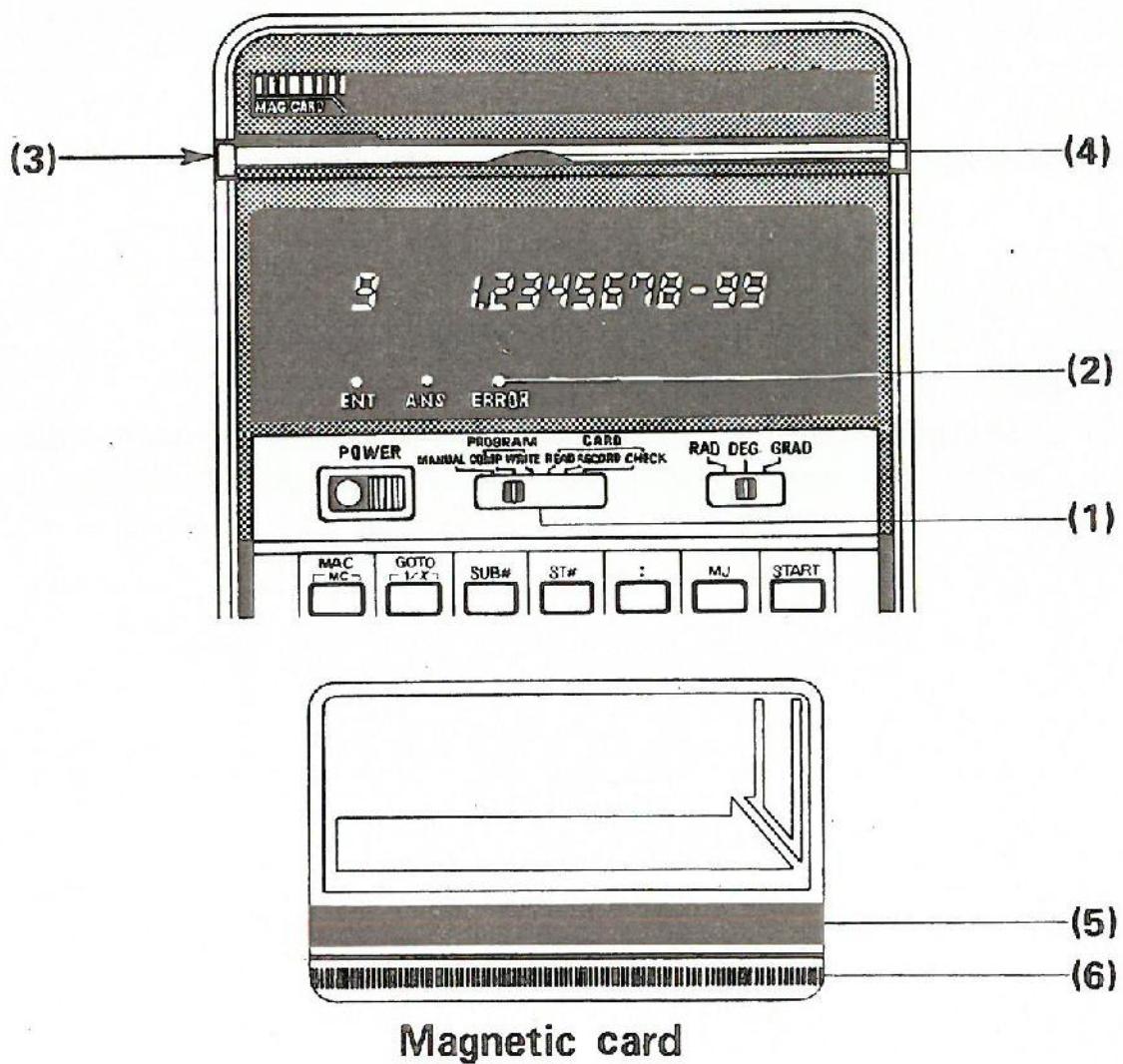
PART-3

Card programs

In Part 3 we explain the magnetic cards which are a major factor in the superb convenience of the calculator.

If these magnetic cards are not used properly the ERROR lamp will light and operation will not be possible; therefore, study these instructions carefully before using the cards. Avoid use and storage in places where there is excessive heat or moisture as the performance may be adversely affected. (Permissible ambient temperature: -10°C to $+45^{\circ}\text{C}$. 14°F to 113°F)

3-1. NAMES AND EXPLANATIONS OF PARTS REQUIRED FOR USE OF THE MAGNETIC CARDS.



Magnetic card

(1) CARD MODE SWITCH

- * **READ** (read mode) Set to this position to transfer a program from (CARD \Rightarrow CALCULATOR) a magnetic card to the calculator program memory. Indicated by <READ> in this manual!
- * **RECORD** (record mode) Set to this position to transfer a program from the calculator program memory to a magnetic card. Previously recorded program is erased and the new program (in the calculator) is recorded. Indicated by <RECORD>.
- * **CHECK** (check mode) Set to this position to check whether the program on the magnetic and the program in the calculator are the same. Indicated by <CHECK>.

Note: Manual calculations are possible regardless of the position to which the card mode switch is set (same as at MANUAL) but power consumption is greater so do not set the card mode switch in the card mode except when using a card.

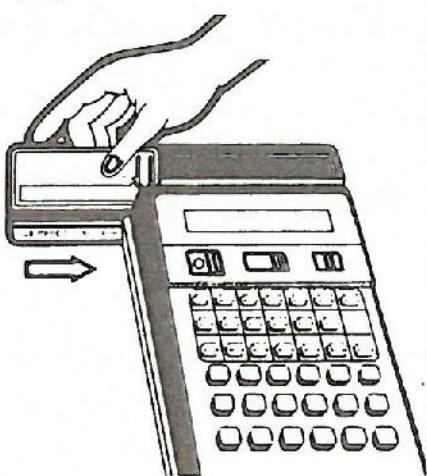
(2) ERROR LAMP

This lamp lights when the card is not moved through the card slot properly or when the calculator or card is not functioning normally. In this case the lamp continues to light until normal function is returned (it cannot be extinguished even by pressing the **AC** key). Causes of the lamp lighting are given on the page 43 .

(3) CARD SLOT

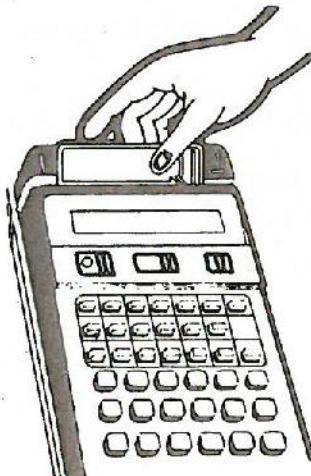
This slot is for the purpose of guiding the travel of the magnetic cards. The card should be moved at a constant speed, as shown in the diagrams below.

(1)



Hold the card firmly and start movement from this position.

(2)



Move the card at a constant speed making sure it contacts the bottom of the slot.

(3)



The card will come out of the slot if moved this far while half of the slot.

(4) MAGNETIC HEAD

This head is extremely important in the transfer of data between the magnetic cards and the calculator. The function is greatly affected by soiling so clean the head once for every 100 times a magnetic card is used by passing the cleaning card through the slot.

(5) MAGNETIC STRIPE

The calculator programs are recorded here by means of the magnetic head (recording capacity is 127 steps). Therefore, programs become unusable if this area is soiled or damaged and the magnetic cards become useless.

(6) TIMING MARK

This mark establishes the timing for error-free recording of the calculator programs onto magnetic cards in the <RECORD> mode. New programs cannot be recorded on a magnetic card if the accessory protective tape is adhered to either side of this part. In other words, adhere the protective tape to the timing marks of the magnetic cards which you wish to use again. Recording is again possible when the protective tape is removed.

3-2. HOW TO RECORD FROM THE CALCULATOR TO THE CARD.

1. Set the Card Mode Switch to <RECORD>. (The display may be as before.)
2. Move the magnetic card (one without protective tape) through the slot as shown in the diagram on page 41.
3. Move the card through the slot again if the ERROR lamp lights.
4. Set the switch to <CHECK> in order to check whether the magnetic card was correctly recorded. To check, move the card through the slot.
5. The recording on the magnetic card is correct if the ERROR lamp does not light in the <CHECK> mode.
6. If the ERROR lamp should light, repeat the above steps.

3-3. HOW TO RECORD FROM THE MAGNETIC CARD TO THE CALCULATOR

1. Set the Card Mode Switch to <READ>. (The display may be as before.)
2. Move the magnetic card through the slot as shown in the diagram on page 41.
3. If the ERROR lamp lights, move the magnetic card through the slot again.
4. Set the switch to <CHECK> and move the card through the slot so check whether or not it is correctly recorded.
5. If the ERROR lamp does not light in the check mode, the program is correctly recorded in the calculator.
6. If the ERROR lamp should light, repeat the above steps.

3-4. CAUSES OF THE ERROR LAMP LIGHTING AND COUNTERMEASURES

Mode Switch	Cause	Remedy
RECORD READ CHECK	* Card moved too fast. * Card moved too slow. * Card moved in wrong direction. * Card stopped before end. * Card not moved parallel. * Card inserted in middle, or removed before end.	Move the card correctly as shown in the diagram on page 41. (Correct speed: 10 - 80cm/sec.)
	* Card soiled, magnetic stripe bent or damaged.	Use a new card.
	* Magnetic head soiled.	Use the cleaning card.
	* Calculator program memory malfunctioning (when all empty steps are not 00).	Press the AC key in WRITE mode and correctly enter the program.
	* Protective tape is adhered.	Remove the tape.
	* The calculator and card programs are not the same.	Do again in <RECORD> or <READ>.

Note: If the ERROR lamp does not go out once it has come on even through the above steps are taken (excluding turning the power switch off and on), manual and program calculations are still possible (if the calculator program is correct).

3-5. CAUTIONS IN USE OF MAGNETIC CARDS

- * Do not move the magnetic cards through the slot under strong illumination such as direct sunlight (especially avoid this in the <RECORD> mode).
- * Use care in storage and handling of the magnetic cards as the contents may be altered by temperatures in excess of -10°C to $+45^{\circ}\text{C}$ (14°F to 113°F) or by proximity to magnetic fields (magnets, etc.).
- * The magnetic cards are easily damaged so after use always place each one in an accessory paper case.
- * The magnetic head should be cleaned periodically (once for every 100 times the magnetic cards are used) or when it seems to be dirty (when the ERROR lamp occasionally lights) by running the cleaning card through the slot 2 or 3 times.
- * When properly stored, a magnetic card can be used up to approximately 1000 times. After this, use a new card.
- * The cleaning card cleans effectively approximately 200 times on each side (400 times in total).
- * When a magnetic card is moved through the slot in the <RECORD> mode, the power consumption is 3 times the normal consumption (0.5W). In this case, the display numerals may go out of a nearly exhausted battery if used. This is not a malfunction, as they will come again if the power switch is turned off and then on again.

Reference programs

CASIO PRO fx-1 PROGRAM SHEET

Program Name	Classification totals		Date	No.		
Formula (examples using actual values are on the following page)				1		
Input data in order and find total for a maximum of 9 classifications				Memory content		
				① Code 1 total		
				⑥ Code 6 total		
				② Code 2 total		
				⑦ Code 7 total		
				③ Code 3 total		
				⑧ Code 8 total		
				④ Code 4 total		
				⑨ Code 9 total		
				⑤ Code 5 total		
				⑩ Memory exchange and overall total		
Calculation flow chart		P R O G R A M				
		ST#	MJ	Calculation message		
			MAC			
All memories cleared ST#1 Classification code Change classification memory Data Classification total GoTo MJ Code/Total to 0		ST#1:				
To get total			ENT I : .	7		
MJ			0 = IM :			
			ENT IM :	14		
			IM = IM + 0 :			
			GoTo 1 :	23		
MJ						
0 = K 0 :						
1 = 0 :				33		
ST#2:						
Code count			I = I + K 1 :	43		
Classification total			ANS IM :			
Overall total			0 = 0 + IM :	52		
code < 9			IF I = K 9 : 2 : 3 : 3 :			
Is the code 9?			ST#3:			
code = 9			ANS 0 :	70		
Overall total						

* Performing program calculations is explained on the next page.

CASIO PRO fx-1 Program calculation operation manual

Calculation example. . . . actual calculation table, values, etc.

classification code	Data
3	1,850
1	3,100
2	2,000
9	3,600
4	6,120
2	1,450
8	3,880
5	2,230
3	5,360
5	4,870
6	3,190
7	2,310
1	2,500
7	1,960
8	3,300
5	1,250
4	1,890

Code	Total
1	(5,600)
2	(3,450)
3	(7,210)
4	(8,010)
5	(8,350)
6	(3,190)
7	(4,270)
8	(7,180)
9	(3,600)
total	(50,860)

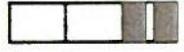
figures in parentheses are answers

Memory no.	When ENT lamp is lit (data)	When ANS lamp is lit (answer)
1	code 1 data	code 1 total
2	code 2 data	code 2 total
3	code 3 data	code 3 total
4	code 4 data	code 4 total
5	code 5 data	code 5 total
6	code 6 data	code 6 total
7	code 7 data	code 7 total
8	code 8 data	code 8 total
9	code 9 data	code 9 total
0		data total
E (I-memory)	classification code	

Preparation:

1. Write-in program

- Program switch **WRITE**



2. Program calculation

- Program switch **COMP**



- The following in the sequence given at the right

Procedure	Lamp	Memory No.	Display meaning	Key operation	Remarks
1				START	
2	ENT	E	classification code input	3 ENT	code is 3 so ENT
3	ENT	3	data input	1850 ENT	3 light
4	ENT	E	classification code input	1 ENT	code is 1 so ENT
5	ENT	1	data input	3100 ENT	1 light
6	ENT	E	repeat the following from procedure 2		
7				When all data end, MJ	
8	ANS	1	code 1 total	ANS	
9	ANS	2	code 2 total	ANS	
10	ANS	3	code 3 total	ANS	
11	ANS	4	code 4 total	ANS	
12	ANS	5	code 5 total	ANS	
13	ANS	6	code 6 total	ANS	
14	ANS	7	code 7 total	ANS	
15	ANS	8	code 8 total	ANS	
16	ANS	9	code 9 total	ANS	
17	ANS	0	all data total	end of calculation AC	
18					
19					
20					
21					
22					
23					
24					
25					

CASIO PRO fx-1 PROGRAM SHEET

Program name	Prediction by regression analysis (primary regression)			Date	No.
<p>Formula (examples using actual values are on the following page)</p> <p>If the regressing straight line is</p> $Y = A + Bx,$ $B = \frac{n \sum xy - \sum x \cdot \sum y}{n \sum x^2 - (\sum x)^2}$ $A = \frac{1}{n} (\sum y - B \cdot \sum x)$ <p>Predicted value \hat{y} is $\hat{y} = A + Bx$</p>			Memory content		
			① data x	⑥ Σxy	
			② data y	⑦ count n	
			③ Σx	⑧ determined coefficient A	
			④ Σy	⑨ determined coefficient B	
			⑤ Σx^2	⑩	
Calculation flow chart		PROGRAM Calculation message			
ST#	MJ	MAC			Step
<p>All memories cleared</p>		ST#1:			
		ENT 1 :	2 :		9
		3 = 3 + 1 :			
		4 = 4 + 2 :			21
		5 = 1 x 1 + 5 :			
		6 = 1 x 2 + 6 :			37
		7 = 7 + k 1 :			
		GoTo 1 :			47
	MJ				
		8 = 3 x 3 :			
		8 = 7 x 5 - 8 :			62
		9 = 3 x 4 :			
		9 = 7 x 6 - 9 ÷ 8 :			78
		8 = 9 x 3 +/- 4 ÷ 7 :			
		ANS 8 : 9 :			94
<p>ST#2:</p> <p>Prediction x</p> <p>\hat{y} calculation</p> <p>Prediction value \hat{y}</p> <p>GoTo</p>		ST#2:			
		ENT 1 :			100
		2 = 1 x 9 + 8 :			
		ANS 2 :			
		GoTo 2 :			114

* Performing program calculations is explained on the next page.

CASIO PRO fx-1 Program calculation operation manual

Calculation example . . . actual calculation table, values, etc.

Year (x)	Sales amount (y)	(Unit \$1,000)
1966	813.6	
1967	781.3	
1968	855.1	
1969	1,228.7	
1970	1,432.4	
1971	1,574.9	
1972	1,697.2	
1973	2,069.5	
1974	1,986.0	
1975	2,290.8	
1976	(2,451.2)	
1977	(2,629.1)	
1978	(2,806.9)	

Prediction

$$y = A + Bx$$

$$A = (-6,619.9) \dots \text{for 0 year}$$

$$B = (177.86) \dots \text{trend for each year}$$

Memory no.	When ENT lamp is lit (data)	When ANS lamp is lit (answer)
1	year	
2	amount	predicted amount
3		
4		
5		
6		
7		
8		determined coefficient A
9		determined coefficient B
0		
E	(I-memory)	

Preparation:	Procedure	Lamp	Memory No.	Display meaning	Key operation	Remarks
1. Write-in program	1				START	
• Program switch WRITE	2	ENT	1	year input	66 ENT	
• Key-in in the sequence of the program	3	ENT	2	amount input	813.6 ENT	
2. Program calculation	4	ENT	1	year input	67 ENT	
• Program switch COMP	5	ENT	2	amount input	781.3 ENT	
• The following in the sequence given at the right	6	ENT	1	repeat from procedure 2		
	7			When all data end, MJ		
	8	ANS	8	determined coefficient A display	ANS	
	9	ANS	9	determined coefficient B display	ANS	
	10	ENT	1	prediction year input	76 ENT	
	11	ANS	2	prediction amount display	ANS	
	12	ENT	1	prediction year input	77 ENT	
	13	ANS	2	prediction amount display	ANS	
	14	ENT	1	repeat from procedure 10		
	15			end of calculation AC		
	16					
	17					
	18					
	19					
	20					
	21					
	22					
	23					
	24					
	25					

CASIO PRO fx-1 PROGRAM SHEET

Program calculation operation manual

Preparation:	Procedure	Lamp	Memory No.	Display meaning	Key operation	Remarks
1. Write-in program	1				START	
* Program switch WRITE	2	ENT	1	r input	10 ENT	radius 10 cm
	3	ENT	2	n input	7 ENT	for regular heptagon
	4	ANS	4	a display	ANS	$a = 8.6776748 \text{ cm}$
	5	ANS	5	S display	ANS	$S = 273.641018 \text{ cm}^2$
2. Program calculation	6	ENT	1	r input	12 ENT	radius 12 cm
* Program switch COMP	7	ENT	2	n input	8 ENT	for regular octagon
	8	ANS	4	a display	ANS	$a = 9.18440232 \text{ cm}$
	9	ANS	5	S display	ANS	$S = 407.2935052 \text{ cm}^2$
	10	ENT	1	repeat form procedure 2		
	11				end of calculation AC	
	12					

CASIO PRO fx-1 PROGRAM SHEET

Program calculation operation manual

Preparation:	Procedure	Lamp	Memory No.	Display meaning	Key operation	Remarks
1. Write-in program	1				START	
• Program switch WRITE 	2	ENT	1	v_0 input	30 ENT	initial velocity 30m/s
• Key-in in the sequence of the program	3	ENT	2	θ input	50 ENT	angle 50°, time
2. Program calculation	4	ENT	3	time period S input	0.5 ENT	period 0.5 sec.
• Program switch COMP 	5	ANS	5	height after S seconds	ANS	$h_1 = 10.2656666$
• Angular mode selector: "DEG"	6	ANS	6	distance after S seconds	ANS	$l_1 = 9.64181415$
• The following in the sequence given at the right	7	ANS	5	height after 2S seconds	ANS	$h_2 = 18.0813332$
	8	ANS	6	distance after 2S seconds	ANS	$l_2 = 19.2836283$
	9	ANS	5	height after 3S seconds	ANS	$h_3 = 23.4469998$
	10	ANS	6	distance after 3S seconds	ANS	$l_3 = 28.92544245$
	11	ANS	5	repeat from procedure 5		
	12				end of calculation AC	

CASIO PRO fx-1 PROGRAM SHEET

Program name	Hyperbola function		date	No.	
Formula		Memory content			
$\sinh x = \frac{e^x - e^{-x}}{2}$ code 1		① $\sinh x$ ⑥			
$\cosh x = \frac{e^x + e^{-x}}{2}$ code 2		② $\cosh x$ ⑦			
$\tanh x = \frac{\sinh x}{\cosh x} = \frac{e^x - e^{-x}}{e^x + e^{-x}}$.. code 3		③ $\tanh x$ ⑧			
* Data ENT code ENT → answer		④ ⑨			
		⑤ ⑩ data x			
		I-memory → code			
Calculation flow chart		PROGRAM Calculation message		Step	
		ST# MJ			
ST#4: ENT 0 : I : IF I = k 2 : 1 : 2 : 3 : ANS IM : GoTo 4 :			26		
SUB#1: 1 = 0 e^x - 0 +/- e^x ÷ k 2 : 41					
SUB#2: 2 = 0 e^x + 0 +/- e^x ÷ k 2 : 56					
SUB#3: 9 = 0 e^x + 0 +/- e^x : 3 = 0 e^x - 0 +/- e^x ÷ 9 : 79					
Remarks: 1/x can not be put into program.					

Program calculation operation manual

Preparation :	Procedure	Lamp	Memory No.	Display meaning	Key operation	Remarks
1. Write-in program	1				START	
* Program switch WRITE	2	ENT	0	data x input	1.2 ENT	answer is
	3	ENT	E	code input	1 ENT	1.509461345 for
	4	ANS	1	sinhx input	ANS	sinh 1.2
* Key-in in the sequence of the program	5	ENT	0	data x input	2.5 ENT	answer is
	6	ENT	E	code input	2 ENT	6.132289499 for
2. Program calculation	7	ANS	2	coshx display	ANS	cosh 2.5
* Program switch COMP	8	ENT	0	data x input	• 9 ENT	answer is
	9	ENT	E	code input	3 ENT	0.716297868 for
	10	ANS	3	tanhx display	ANS	tanh 0.9
* The following in the sequence given at the right	11	ENT	0	repeat from procedure 2		
	12			end of calculation AC		

CASIO PRO fx-1 PROGRAM SHEET

Program name	Inverse hyperbola function				Date	No.	
Formula					Memory content		
$\sinh^{-1} x = \ln(x + \sqrt{x^2 + 1}) \dots \text{code 1}$					① $\sinh^{-1} x$	⑥	
$\cosh^{-1} x = \ln(x + \sqrt{x^2 - 1}) \dots \text{code 2}$ [$x > 1$]					② $\cosh^{-1} x$	⑦	
$\tanh^{-1} x = \frac{1}{2} \ln \frac{1+x}{1-x} \dots \text{code 3}$ [$ x < 1$]					③ $\tanh^{-1} x$	⑧	
* Data ENT code ENT → Answer					④	⑨	
					⑤	⑩ data x	
					I-memory → code		
Calculation flow chart	PROGRAM						
	ST#	MJ	Calculation message			Step	
	ST#4:	ENT 0 : 1 :					
		IF 1 = k 2 : 1 : 2 : 3 :					
		ANS IM :					
		GoTo 4 :					26
		SUB#1: 9 = 0 x 0 + k 1 :					
		9 = 9 √ + 0 :					
		1 = 9 ln :					50
		SUB#2: 9 = 0 x 0 - k 1 :					
		9 = 9 √ + 0 :					
		2 = 9 ln :					72
		SUB#3: 9 = k 1 - 0 :					
		9 = k 1 + 0 ÷ 9 :					
	3 = 9 ln ÷ k 2 :					101	

Program calculation operation manual

Preparation: 1. Write-in program * Program switch WRITE  2. Program calculation * Program switch COMP  * The following in the sequence given at the right	Procedure	Lamp	Memory No.	Display meaning	Key operation	Remarks
	1				START	
	2	ENT	0	data x input	1.5 ENT	answer is 1.1947632
	3	ENT	E	code input	1 ENT	for $\sinh^{-1} 1.5$
	4	ANS	1	$\sinh^{-1} x$ display	ANS	answer is 2.3518328 for
	5	ENT	0	data x input	5.3 ENT	$\cosh^{-1} 5.3$
	6	ENT	E	code input	2 ENT	answer is 0.6931472 for
	7	ANS	2	$\cosh^{-1} x$ display	ANS	$\tanh^{-1} 0.6$
	8	ENT	0	data x input	6 ENT	
	9	ENT	E	code input	3 ENT	
	10	ANS	3	$\tanh^{-1} x$ display	ANS	
	11	ENT	0	repeat from procedure 2		
	12			end of calculation AC		

Specifications

NORMAL OPERATION

Capabilities:

4 basic functions, chain & mixed operations, constant calculations for five functions, powers and reciprocals, automatic accumulation in four functions, direct access to the memory, true credit balance and various kinds of practical calculations.

SCIENTIFIC FUNCTION

Trigonometric/Inverse trigonometric functions, common/natural logarithmic functions, Exponentiations, square roots, reciprocals, sexagesimal/decimal conversion, Pi entry and scientific notation.

Capacity :

	Input range	Output accuracy
Entry/basic operations	10 digit mantissa or 8 digit mantissa plus 2 digit exponent (powers of ten from 10^{99} to to 10^{-99}).	
$\sin x / \cos x / \tan x$	$ x \leq 1440^\circ$ (8πrad, 1600gra)	±1 in the 8th digit
$\sin^{-1} x / \cos^{-1} x$	$ x \leq 1$	±1 in the 8th digit
$\tan^{-1} x$	$ x < 1 \times 10^{100}$	±1 in the 8th digit
$\log x / \ln x$	$0 < x < 1 \times 10^{100}$	±1 in the 8th digit
10^x	$ x < 100$	±1 in the 8th digit
e^x	$ x \leq 230$	±1 in the 8th digit
x^y	$0 < x < 1 \times 10^{100}$	±1 in the 7th digit
\sqrt{x}	$0 \leq x < 1 \times 10^{100}$	±1 in the 10th digit
$1/x$	$ x < 1 \times 10^{100}, x \neq 0$	±1 in the 10th digit
$0 ..$	Up to second	±1 in the 10th digit
π	10 digit	
DECIMAL POINT	Full floating mode with underflow	

NEGATIVE NUMBER

Indicated by the floating minus (–) sign for mantissa.

The minus sign appears in the 3rd column for a negative exponent.

OVERFLOW Indicated by an "E" sign, locking the calculator.

MEMORY 1 independent memory and 10 data memories.

PROGRAM

Number of steps: 127 steps, stored system

Memory: 10 memories for calculation and data totaling plus 1 indirect address memory

Conditional and unconditional jump: max. of 10 jumps possible

Subroutines: max of 10 subroutines, 1 deep

Other functions: Manual jump, multiple assembly of one constant, program writing and check command display, and back-step.

MAGNETIC CARD

Functions: Program recording and readout using special magnetic cards.

Travel speed: 10 - 80cm/sec., manual movement.

Recording capacity: 127 steps.

Erase prevention: Programs are protected by adhering special protective tape.

READ-OUT

Zero suppression, Digitron tube panel, and LED for signs

POWER CONSUMPTION 1.5 W

POWER SOURCE

AC: 100, 117, 220 or 240V ($\pm 10\%$), 50/60 Hz with applicable AC Adaptor

DC Four AA size Manganese dry batteries (SUM-3) operate about 6.5 hours continuously.

Four AA size Alkaline dry batteries (AM-3) operate about 12 hours continuously.

USABLE TEMPERATURE

0°C ~ 40°C (32°F ~ 104°F); -10°C ~ 45°C (14°F ~ 113°F) for magnetic card.

DIMENSIONS:

36.5mmH x 115mmW x 197mmD (1-3/8"H x 4-5/8" x 7-7/8"D)

WEIGHT 490 g (17 oz) including batteries

Care of your new electronic calculator

This calculator is a durable, precision-made instrument which will provide you with years of trouble free service.

To help ensure this we recommend that the inside of the calculator not be touched. It is also inadvisable to subject the calculator to hard knocks, and unduly strong key pressing.

Extreme cold (below 32°F or 0°C), heat (above 104°F or 40°C) and humidity may also effect the function of the calculator. When you do not use the calculator for a long period, take out the batteries to prevent possible damage from battery leakage. Special care should be taken not to leave dead batteries inside the calculator. Please make sure you switch off the power when you finish your calculations or intend to open the cover to change batteries. Should the calculator need servicing, take the unit to the store where purchased or to a nearby dealer.

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